

The Multi-Wavelength  
emission of accreting  
Black Holes and their Jets

2015

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(INAF - OAR)

# BLACK-HOLE X-RAY BINARIES

## SUMMARY

(of a highly biased, shallow, subjective and incomplete review)

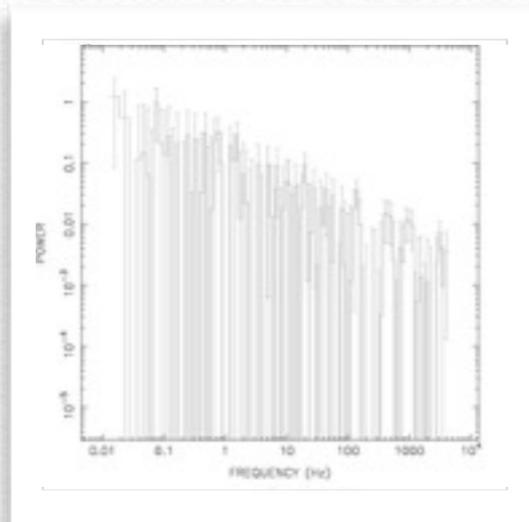
adding further complexity (?)

- Complex objects, variable on many timescales
- Complex objects, variable at many wavelengths
- Complex objects, data sometimes insufficient
- Complex Physics, models sometimes oversold
- Complex Physics, sometimes revealed by **simple** exercises
  - the problem of the jet missing energy
  - “come ti individuo il getto” (how I tell you where the jet is)
  - on the efficiency of the accretion flow

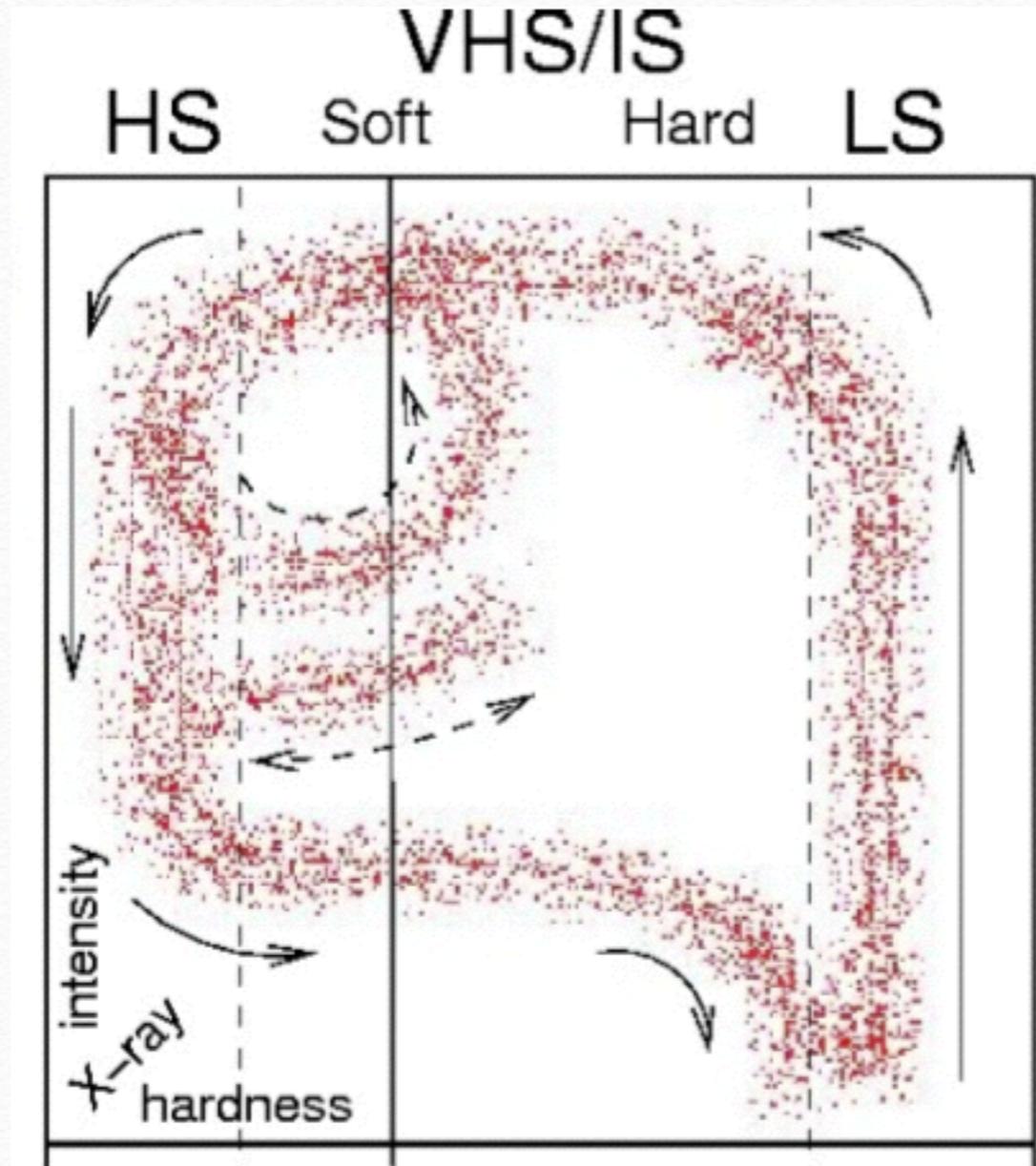
Media INAF  
would say

# BLACK-HOLE X-RAY BINARIES

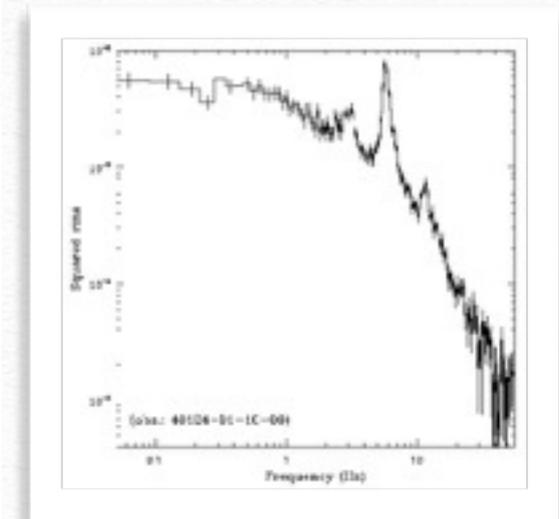
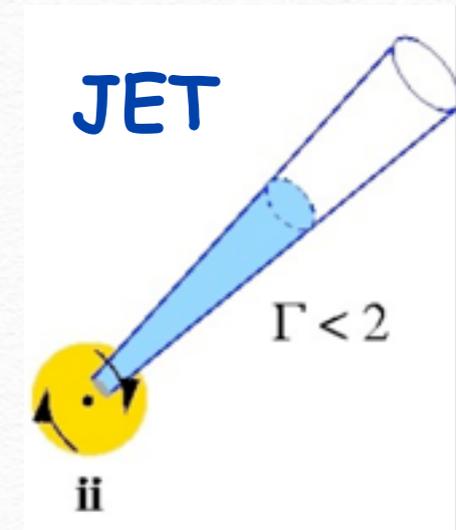
SOFT STATE



steady inflow  
(thin cool disk)



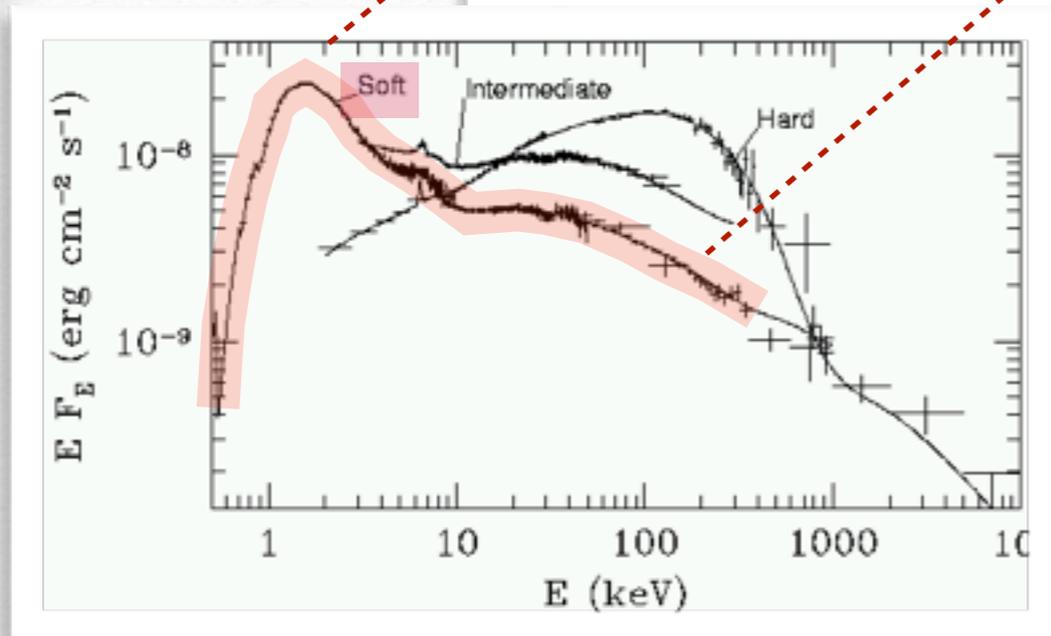
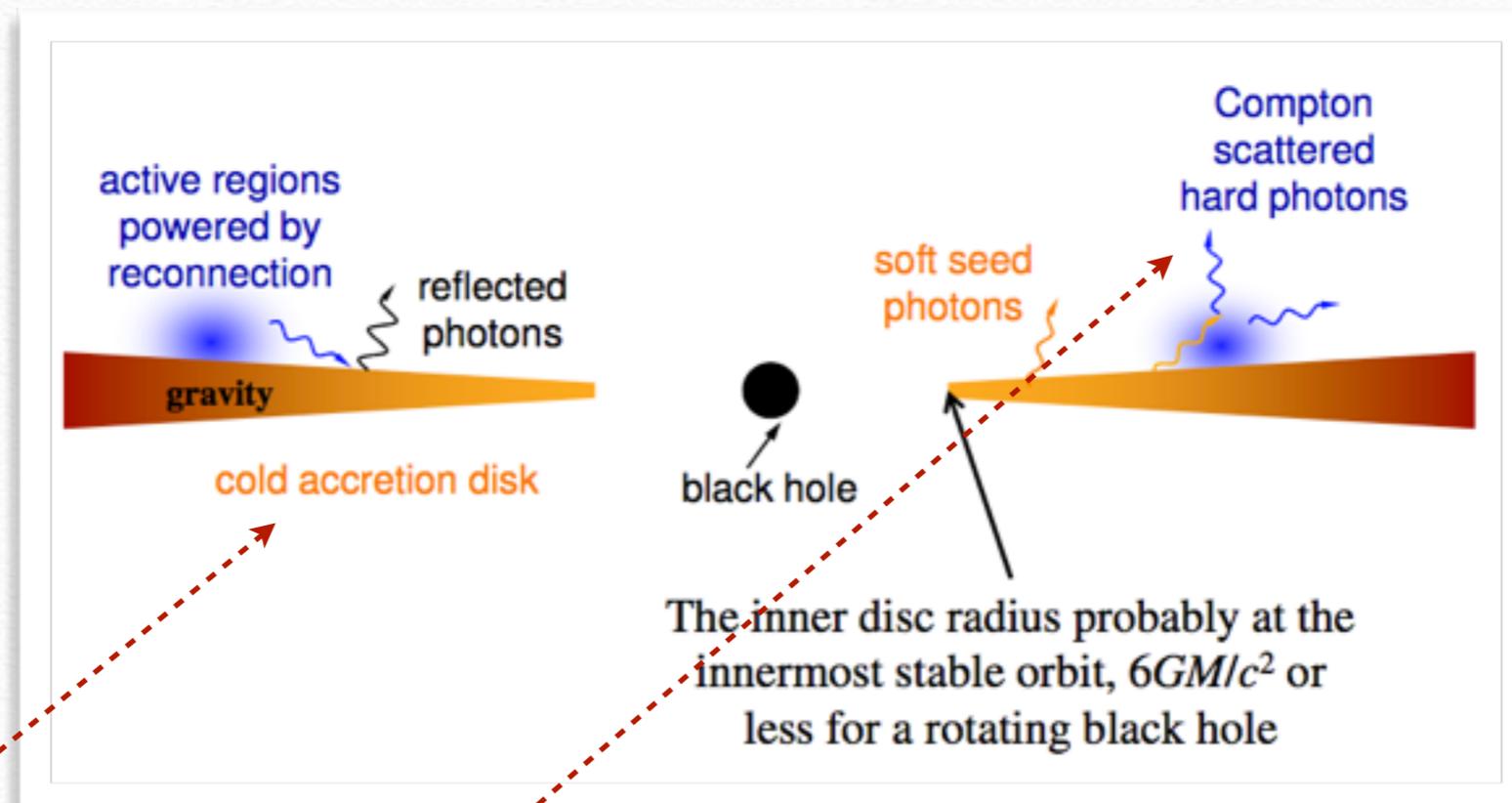
HARD STATE



variable inflow  
(thick hot flow)

# BLACK-HOLE X-RAY BINARIES

## A POSSIBLE GEOMETRY FOR THE SOFT STATE ( X-RAY DEFINED )



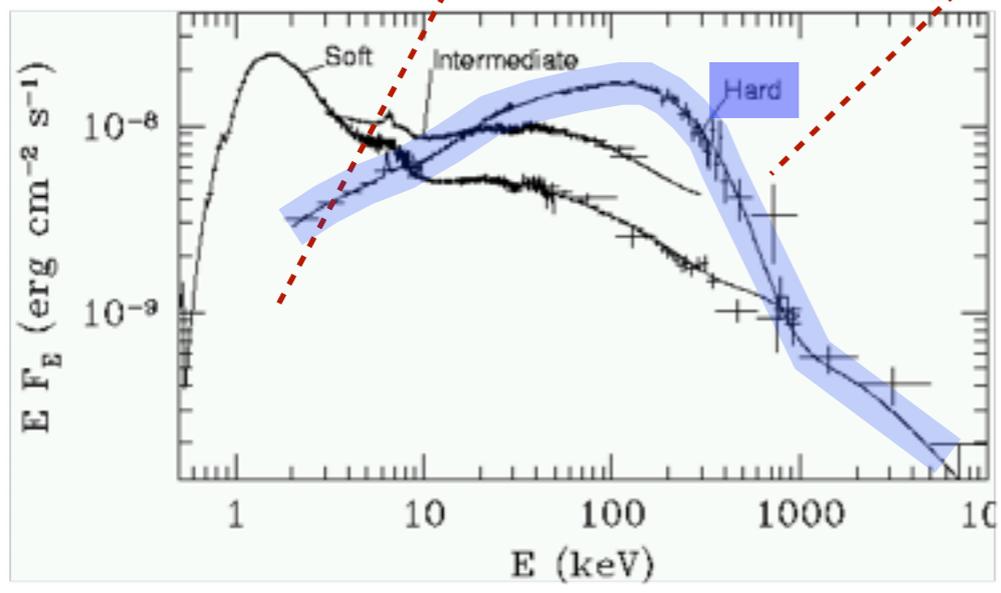
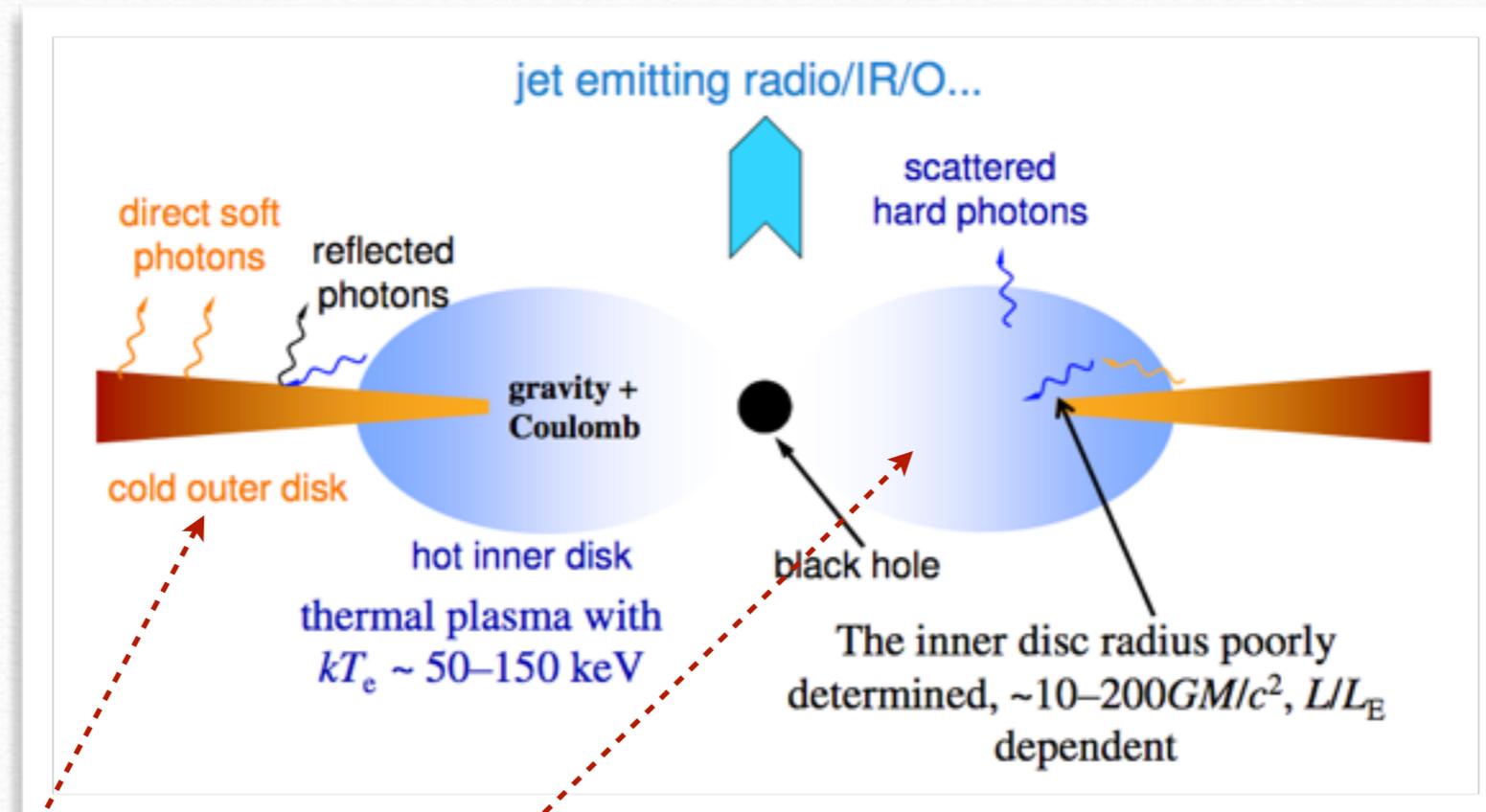
## EFFICIENT FLOW?

$$L_x \propto \dot{M}$$

*courtesy of A. Zdziarski*

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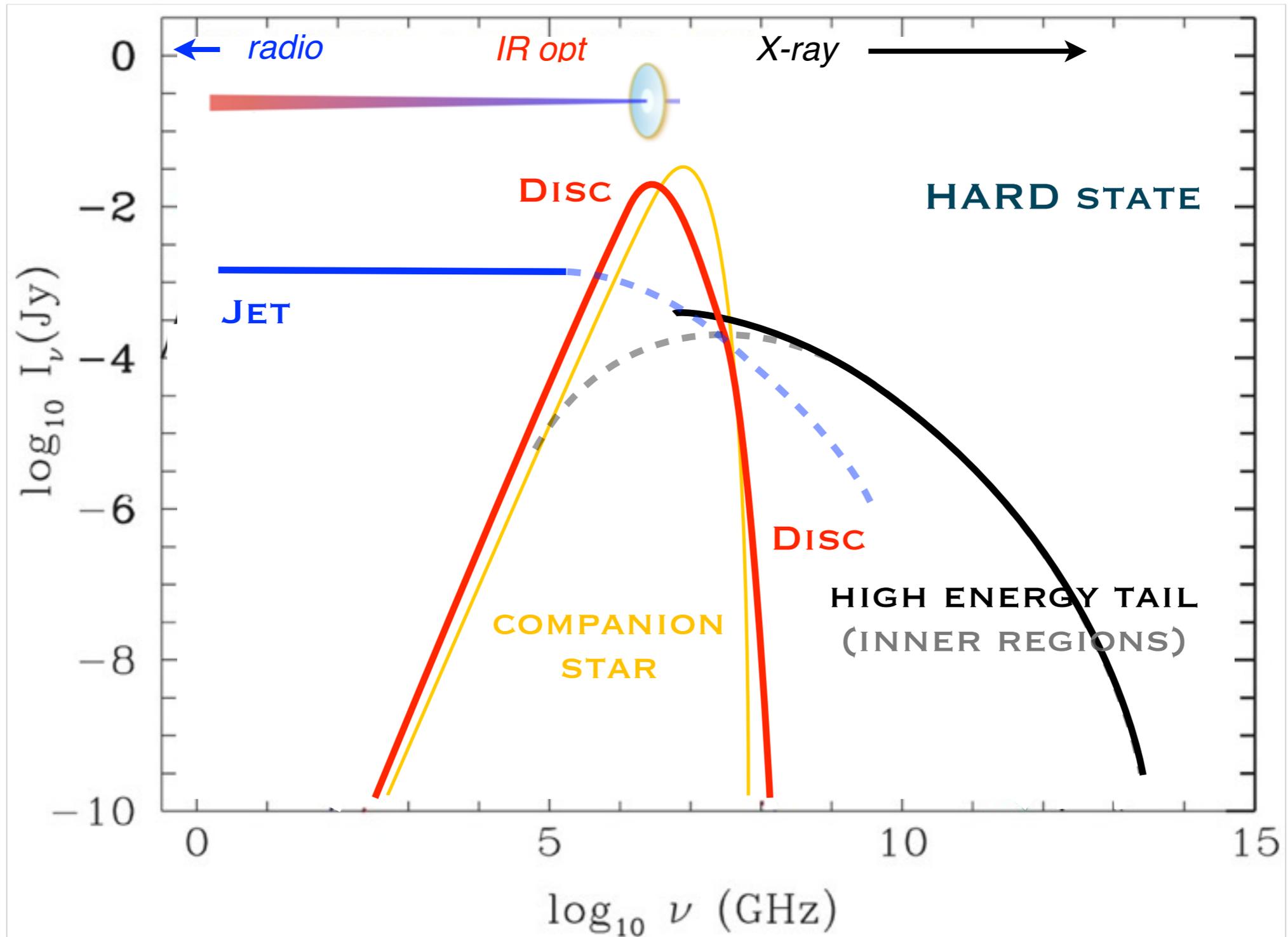
## INEFFICIENT FLOW?

$$L_x \propto \dot{M}^{2-3}$$

*courtesy of A. Zdziarski*

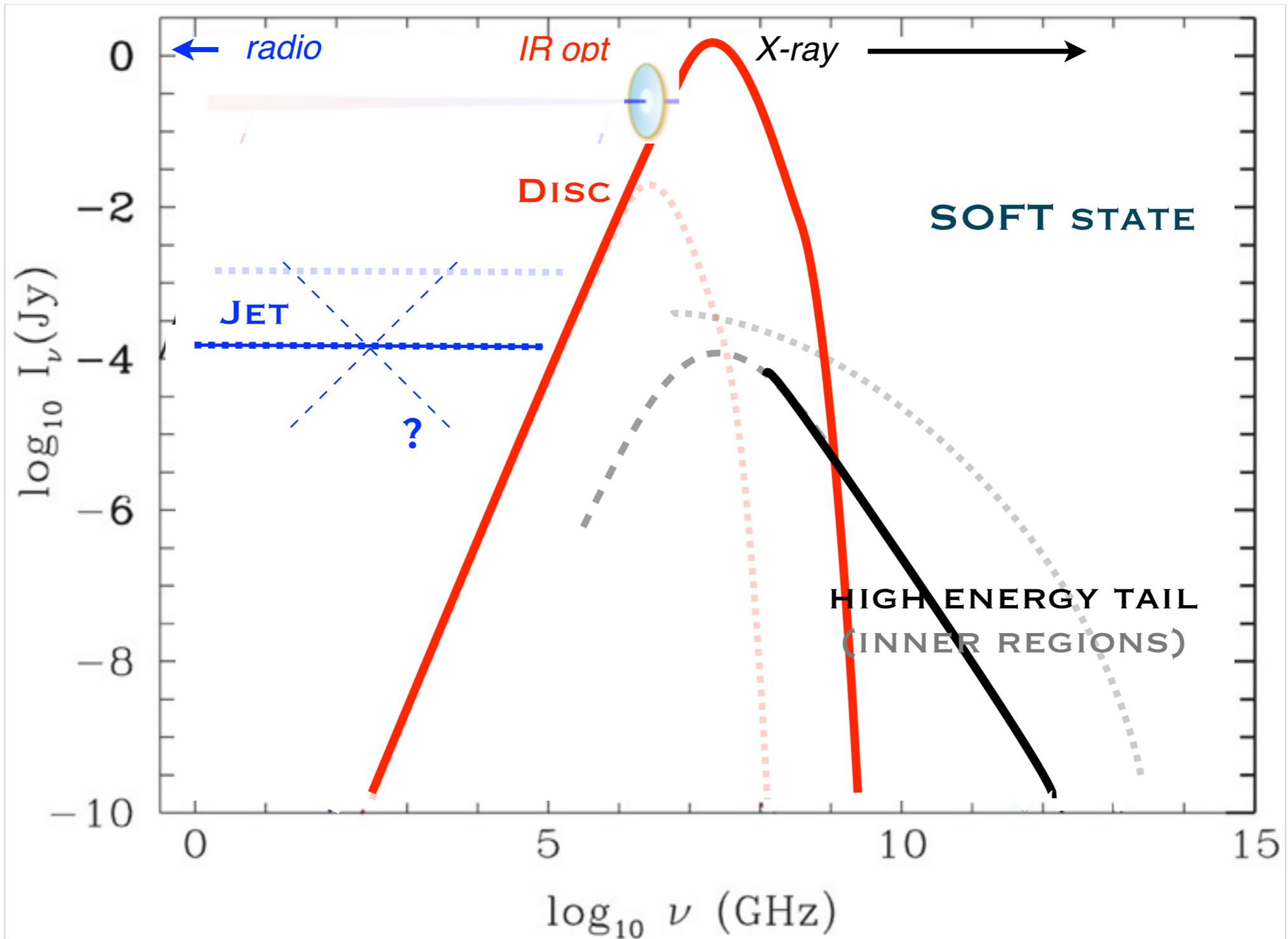
# BLACK-HOLE X-RAY BINARIES

## MULTI-WAVELENGTH EMISSION



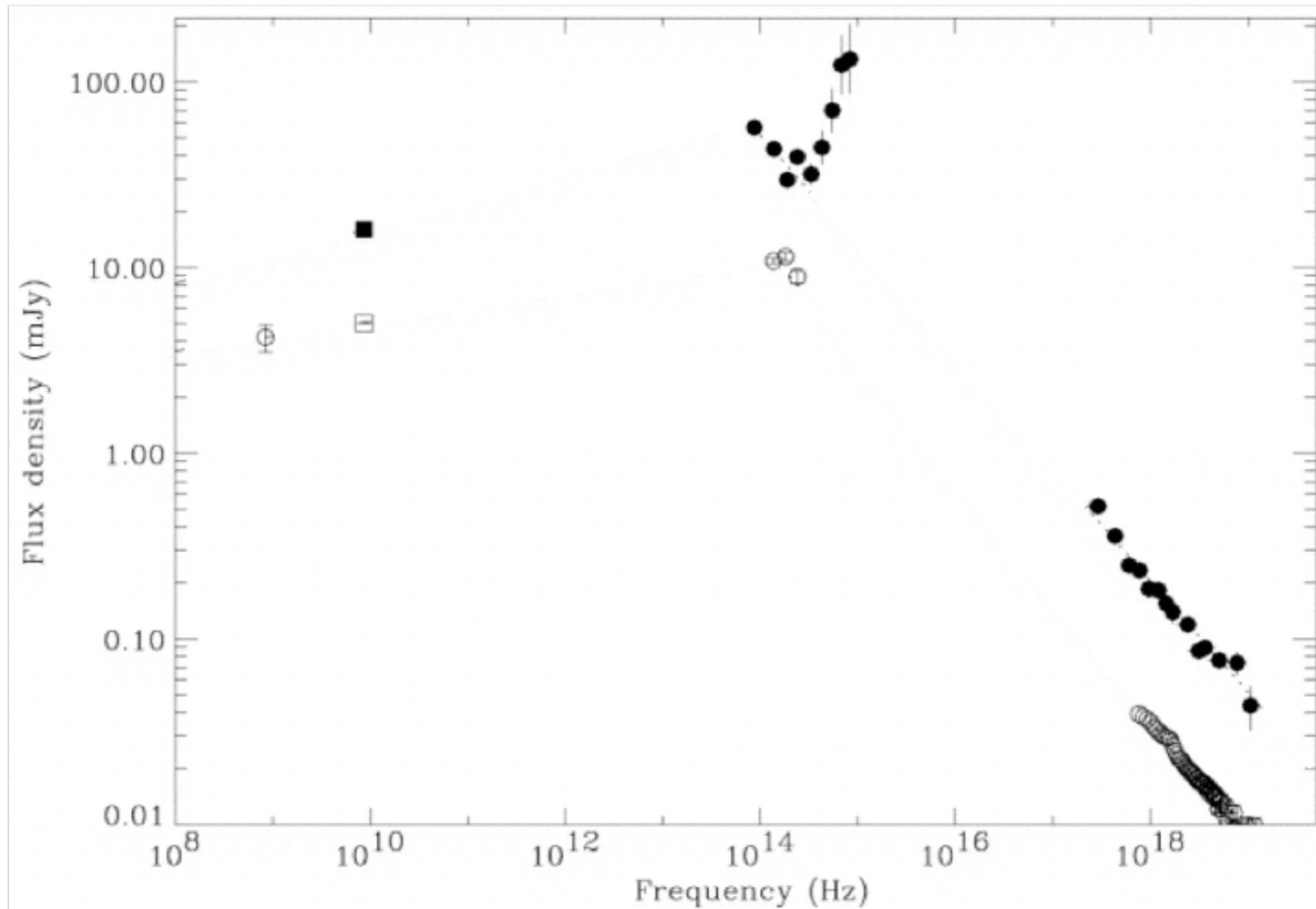
# BLACK-HOLE X-RAY BINARIES

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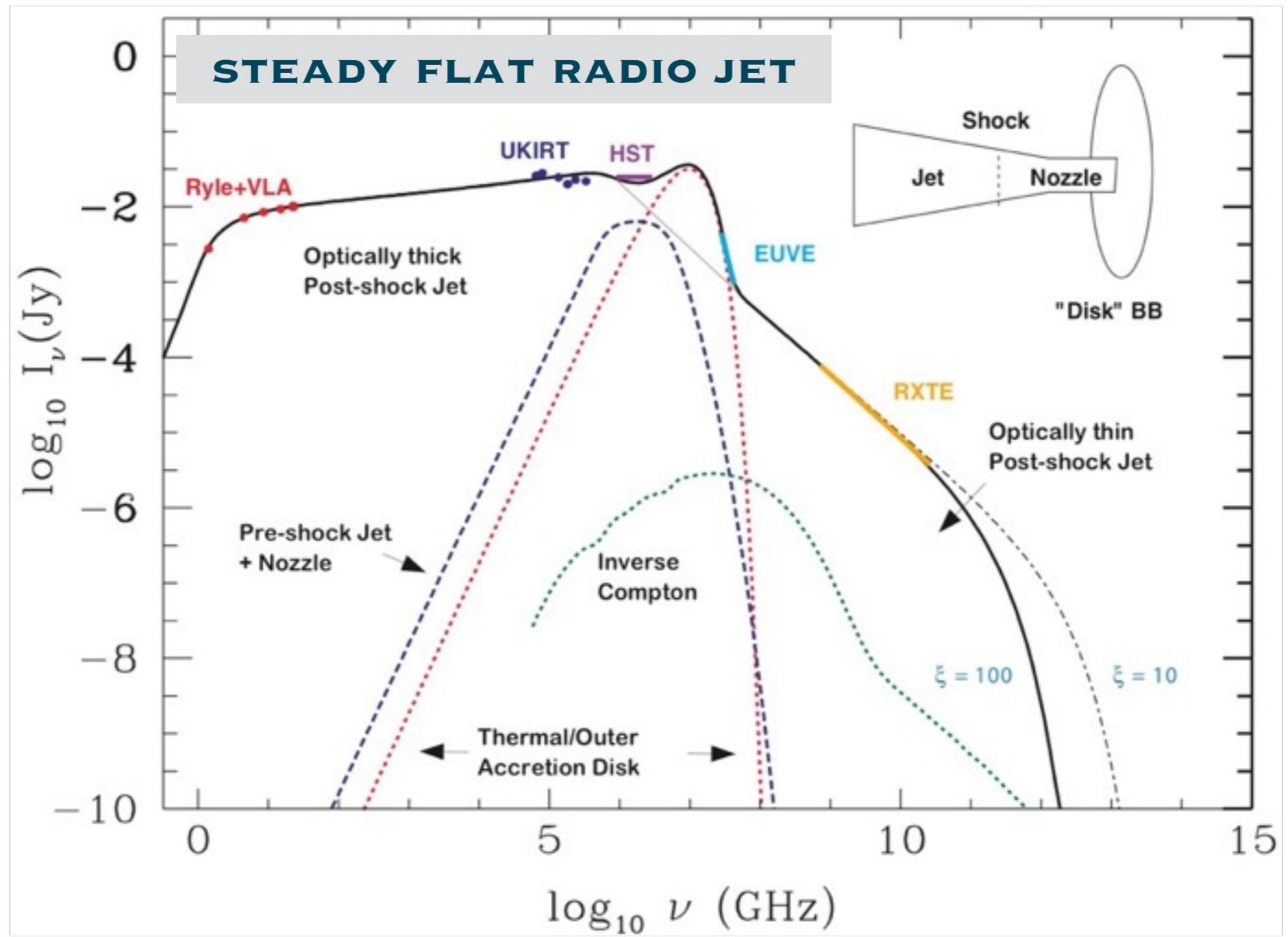
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REAL DATA



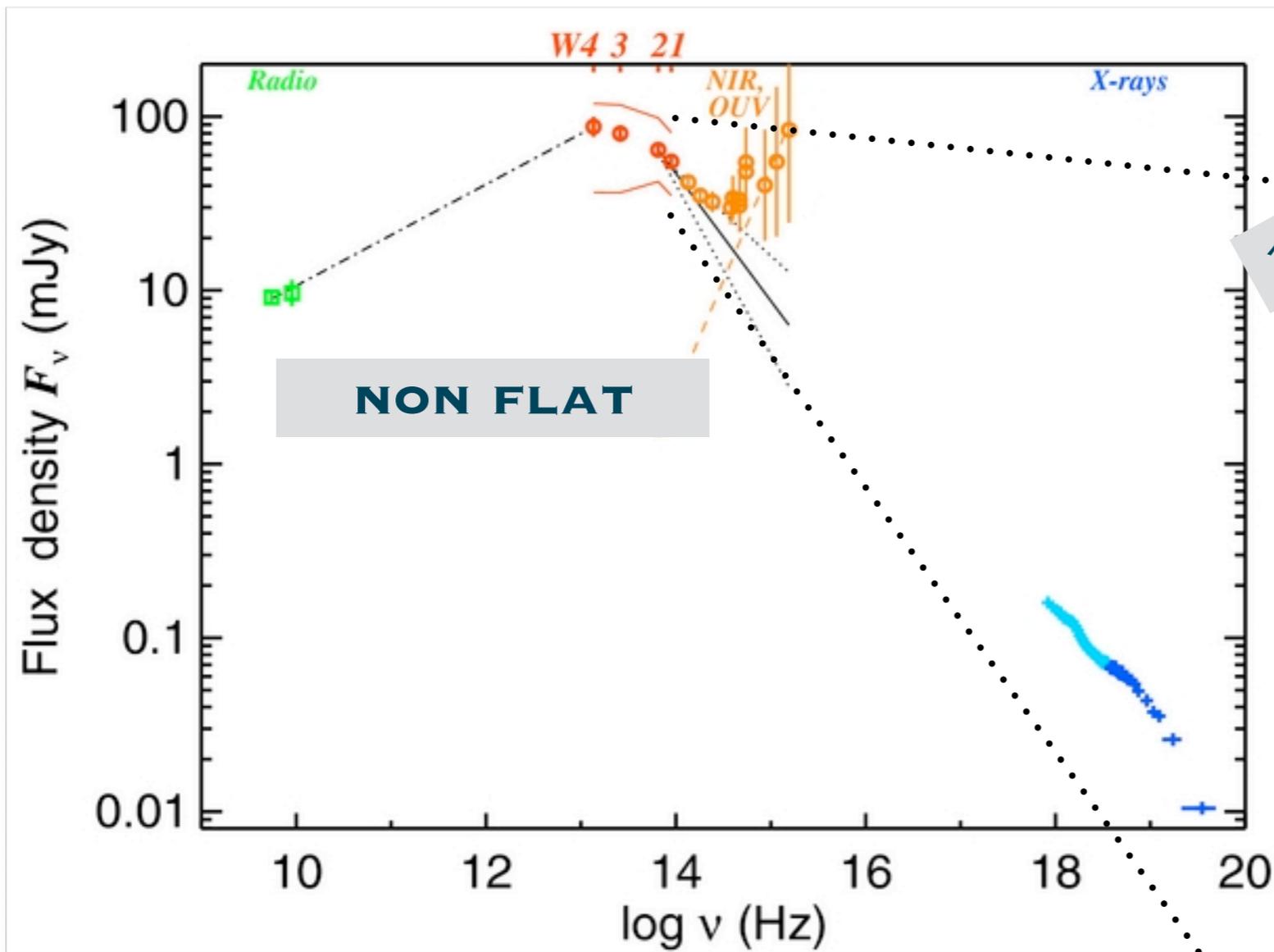
# BLACK-HOLE X-RAY BINARIES

REAL DATA + COMPLEX MODEL

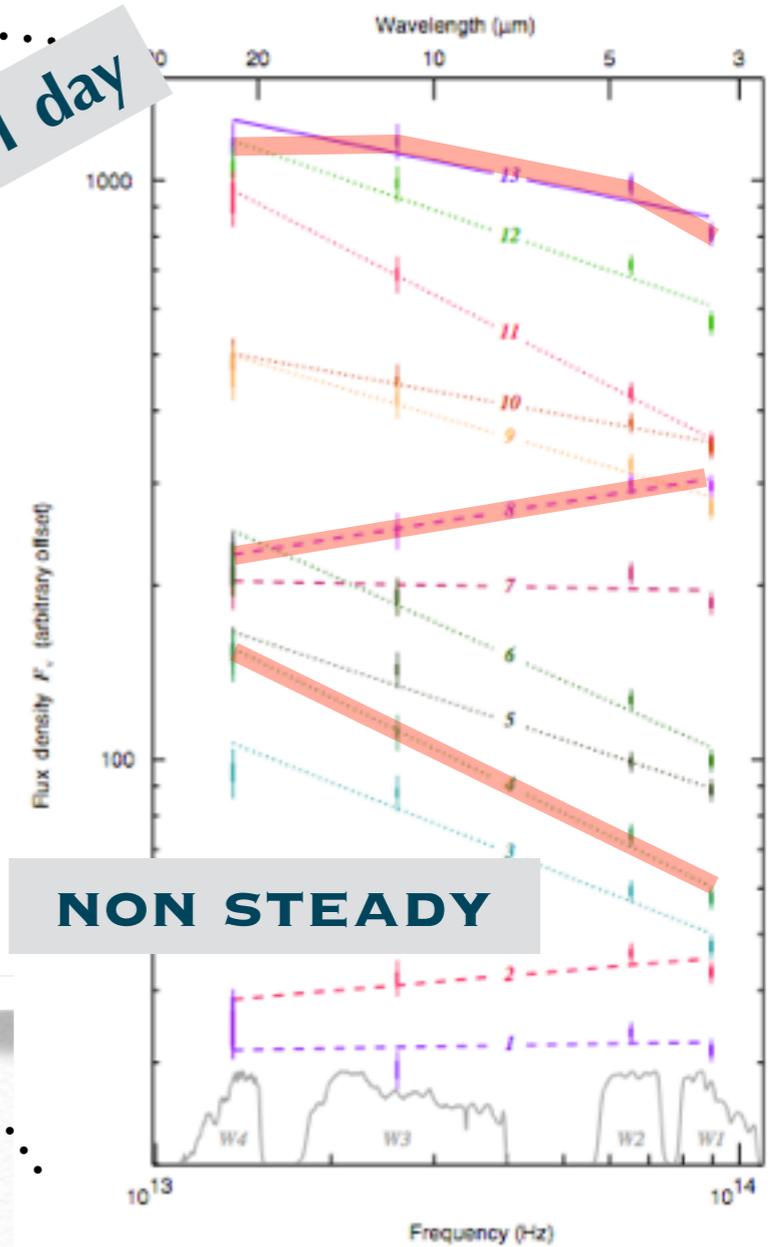


# BLACK-HOLE X-RAY BINARIES

MORE REAL DATA

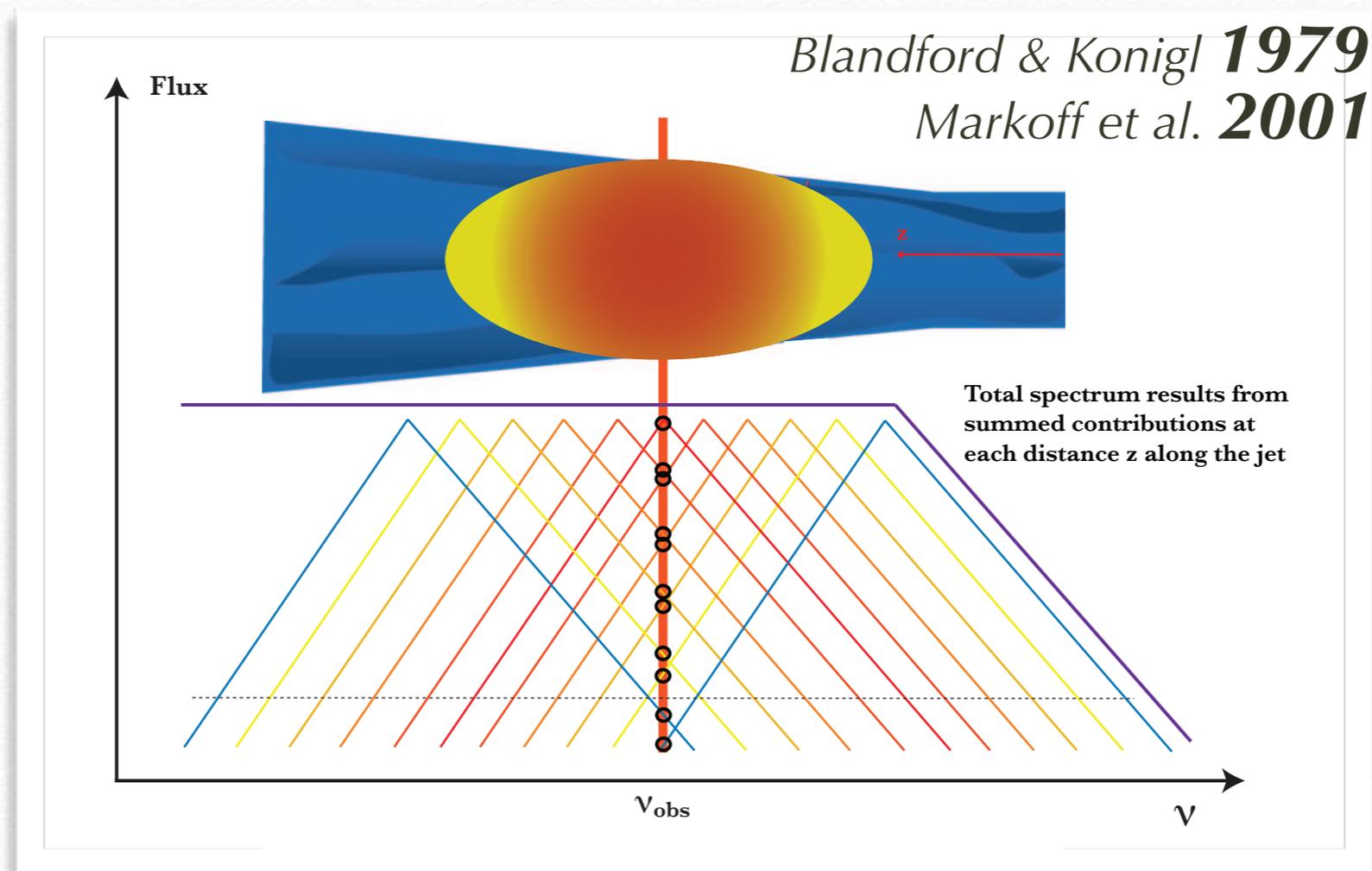


1 day



# BLACK-HOLE X-RAY BINARIES

## STANDARD JET MODEL



Basic assumptions

$$n = c\gamma^{-p} \sim r^{-2}$$

$$B(r) \sim r^{-1}$$

+

Basic synchrotron theory

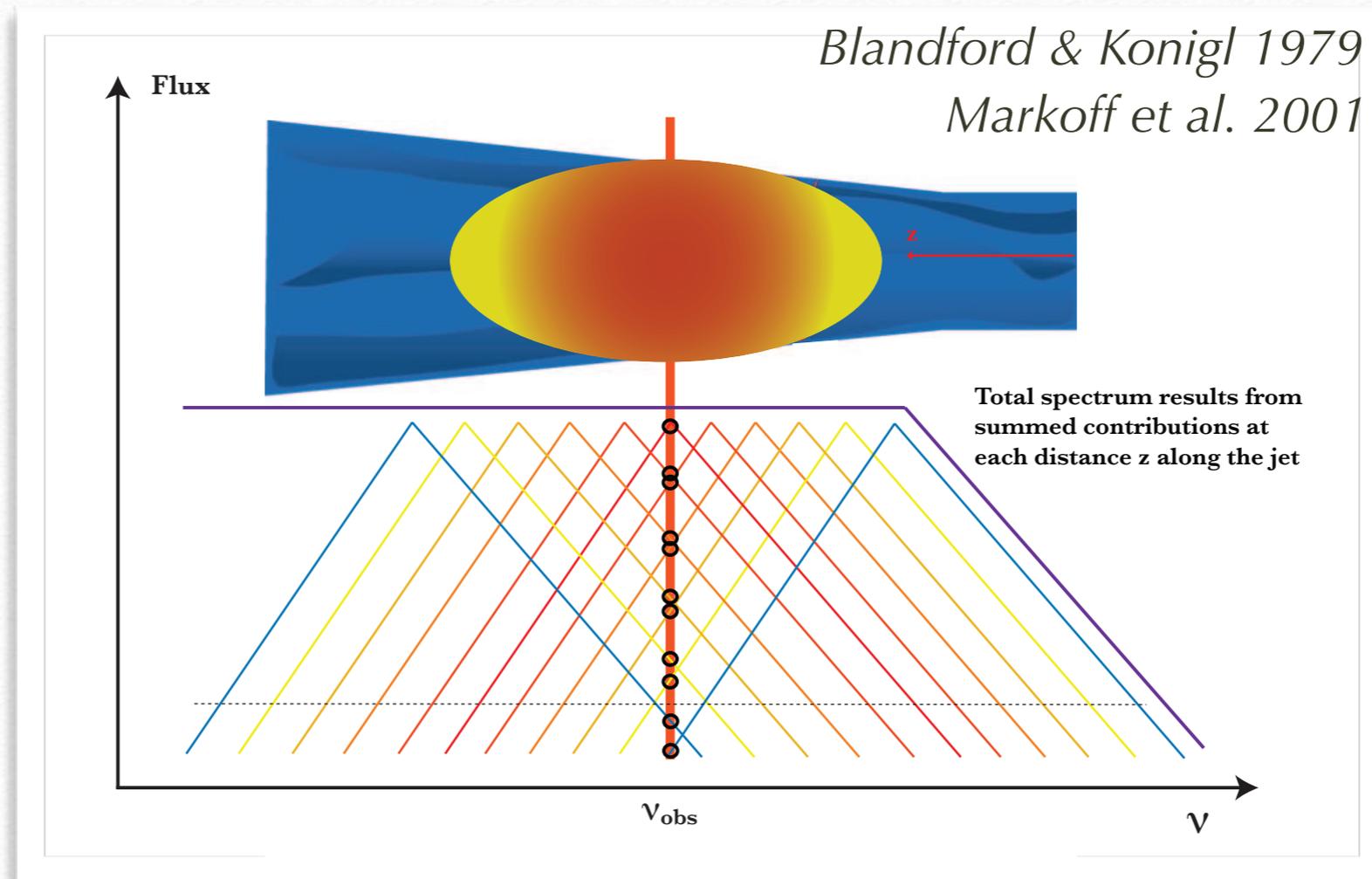
$$\nu_{\text{break}} = \nu \Big|_{\tau_{\nu}=1} \sim r^{-1}$$

$\Rightarrow$

Flat radio spectrum

# BLACK-HOLE X-RAY BINARIES

## STANDARD JET MODEL



**\*problem\***  
cooling  
is  
missing



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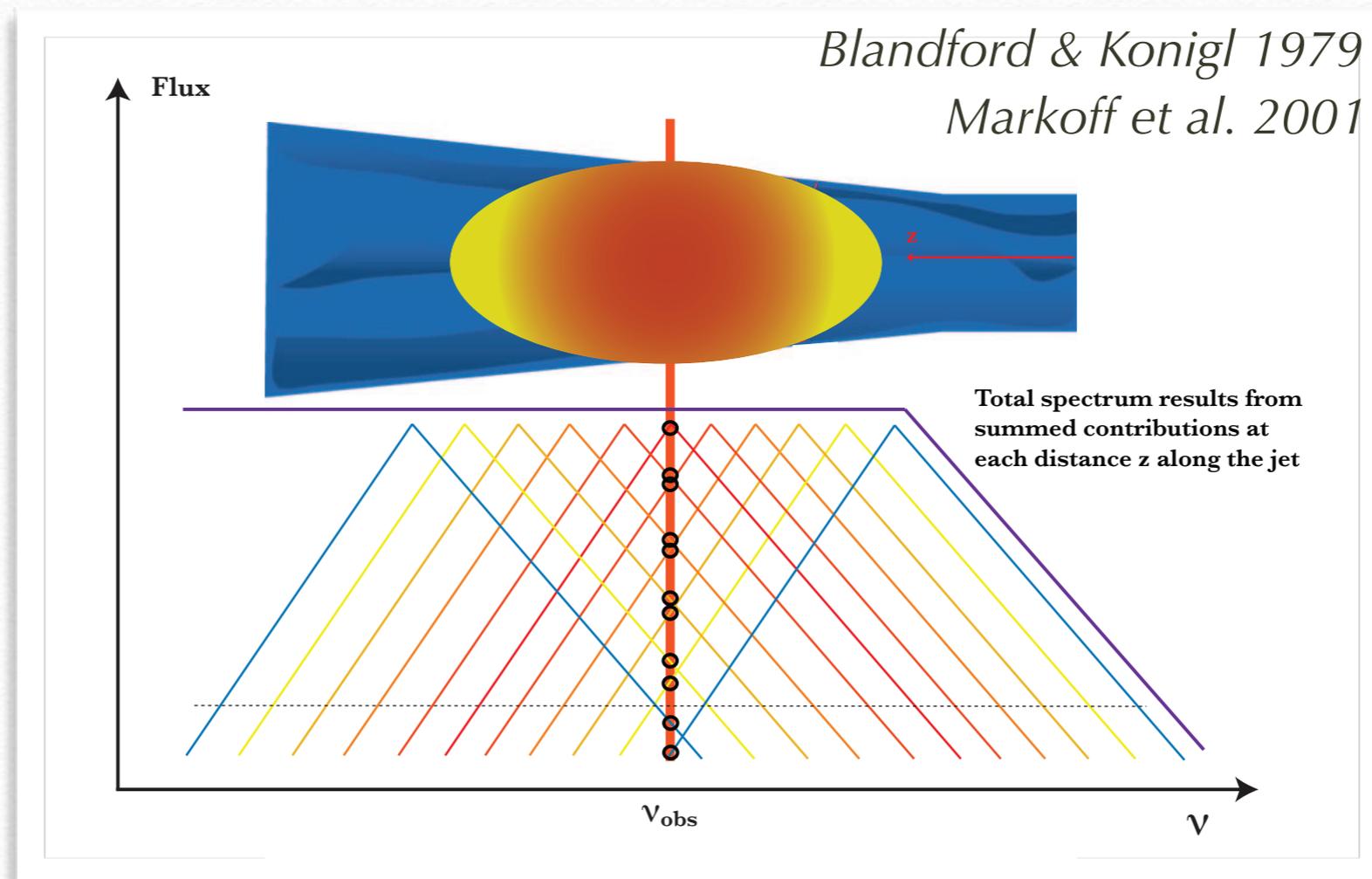
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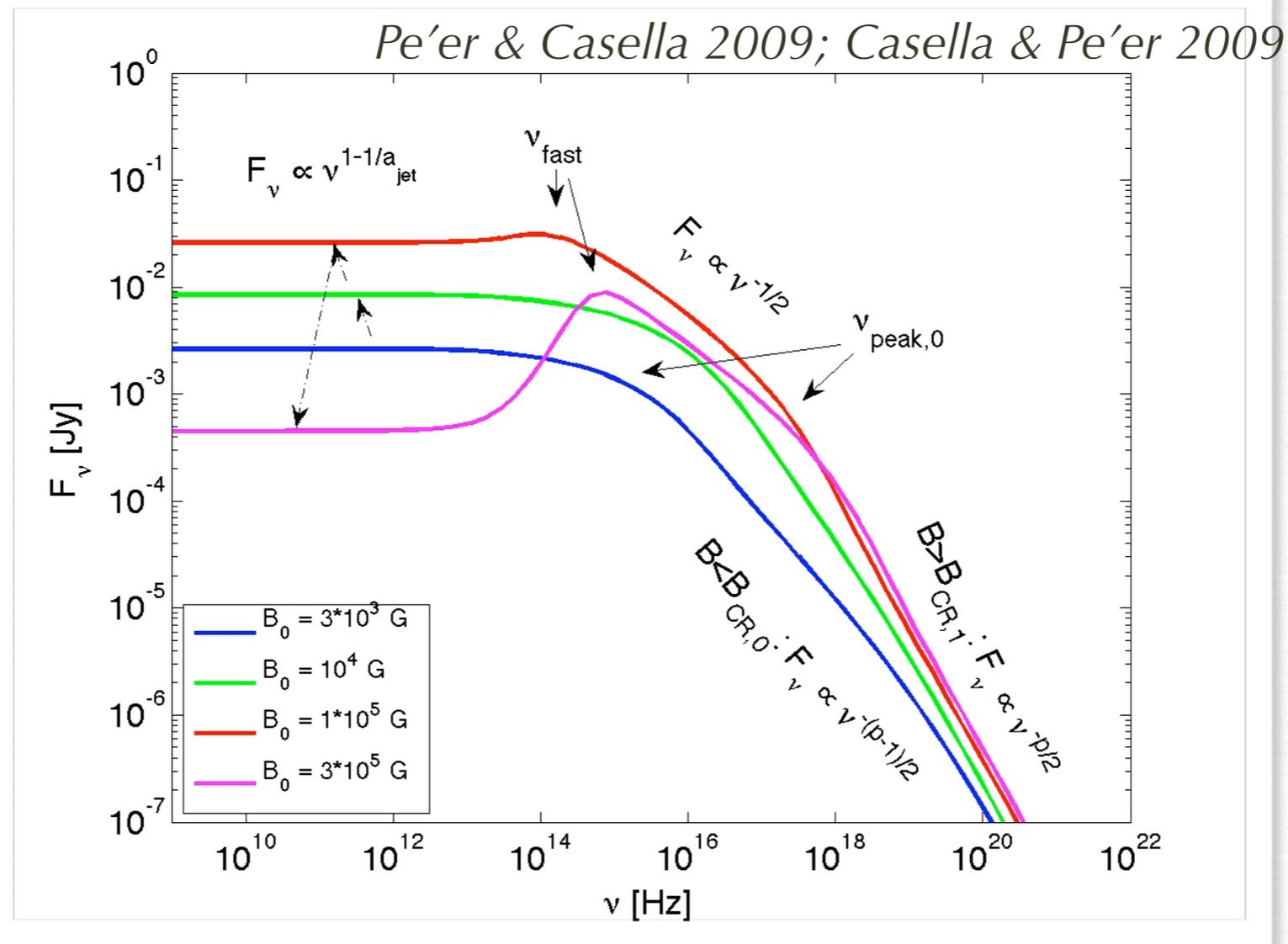
**\*problem\***  
**cooling**  
**is**  
**missing**



(measured in the frame of the fluid) which will vary as  $r^{-2}$ , where  $r$  is the distance from the apex (cf. the model of NGC 6251 in Readhead, Cohen, and Blandford 1978). We assume that relativistic electrons can be accelerated continuously within the jet, and that their distribution function is  $N(\gamma_e) = K\gamma_e^{-2}$ , with  $\gamma_{e\text{min}} < \gamma_e < \gamma_{e\text{max}}$  and  $\gamma_{e\text{max}} \gg \gamma_{e\text{min}}$ . These electrons will radiate synchrotron radiation with a spectral index  $\alpha = \frac{1}{2}$ . The electron energy

*Blandford & Konigl 1979*

# BLACK-HOLE X-RAY BINARIES



if cooling included...no radio emission  
(obviously: the electrons can't have infinite energy)

**WE NEED EXTRA ENERGY (I.E. ELECTRONS RE-HEATING)**

# **BLACK-HOLE X-RAY BINARIES**

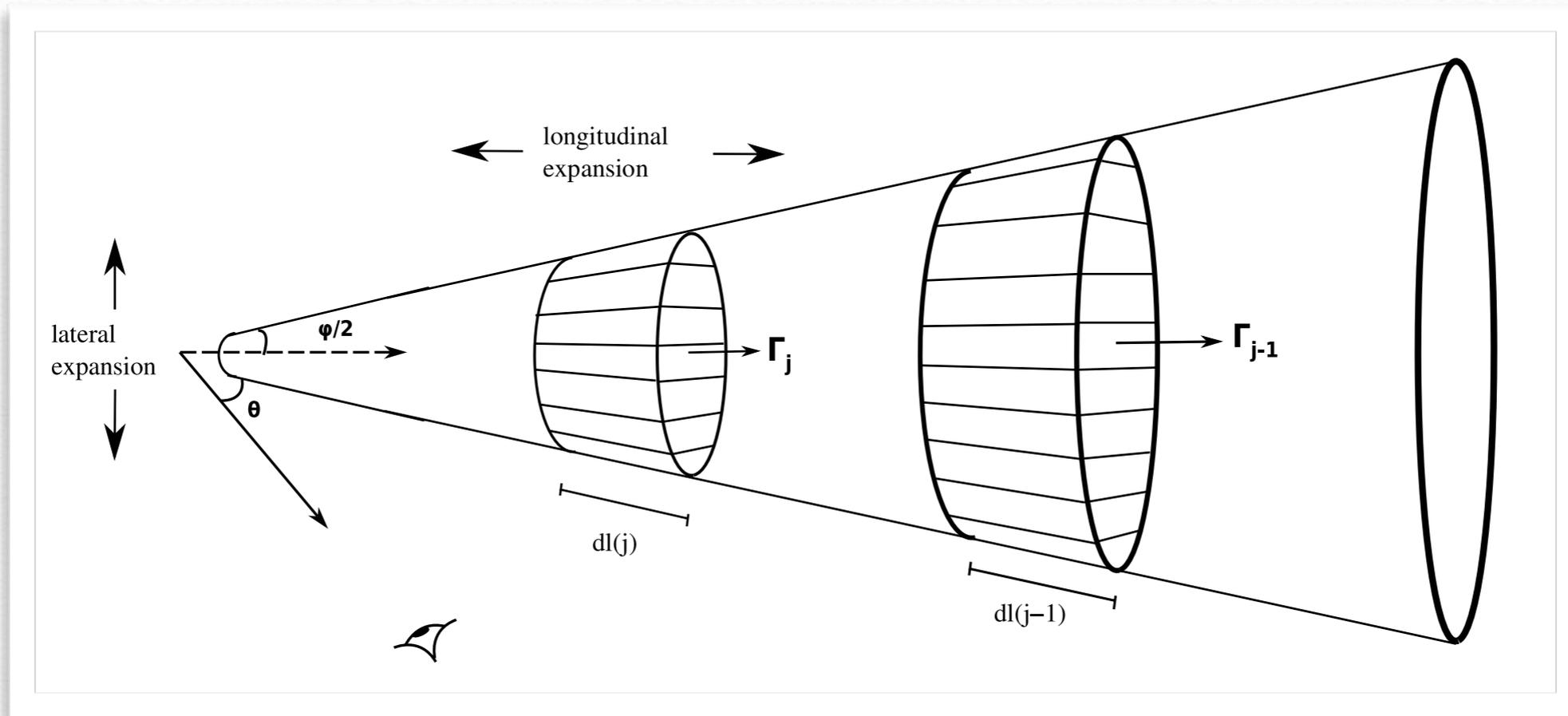
**A POSSIBLE KEY INGREDIENT:**

**VARIABILITY**

# BLACK-HOLE X-RAY BINARIES

## RE-HEATING FROM INTERNAL SHOCKS BETWEEN DISCRETE SHELLS WITH DIFFERENT VELOCITY

*Jamil, Fender & Kaiser 2010; Malzac 2013; Drappeau et al. 2014*

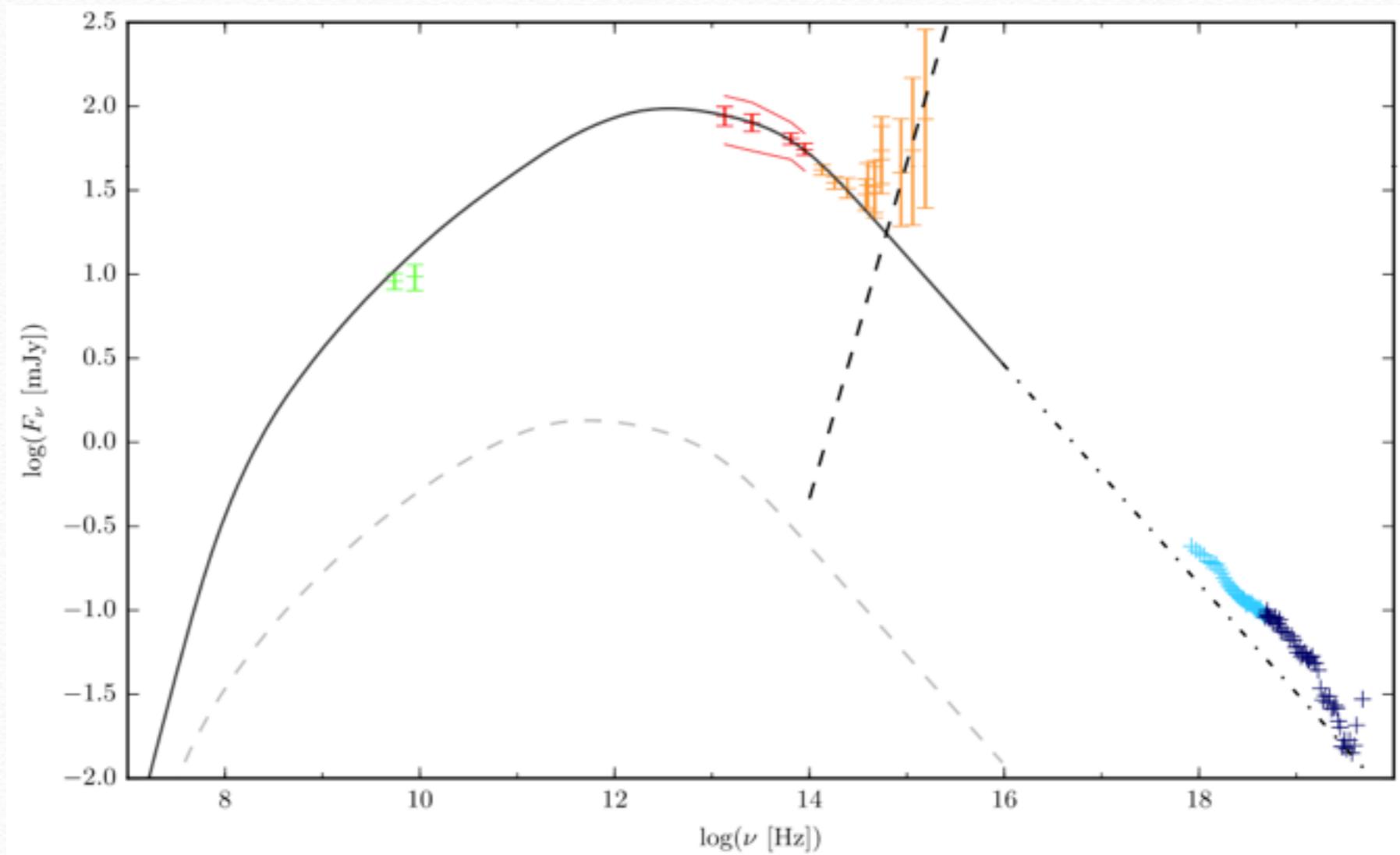


**IS THE JET POWERED  
BY VARIABILITY  
IN THE ACCRETION FLOW?**

# BLACK-HOLE X-RAY BINARIES

RE-HEATING FROM INTERNAL SHOCKS  
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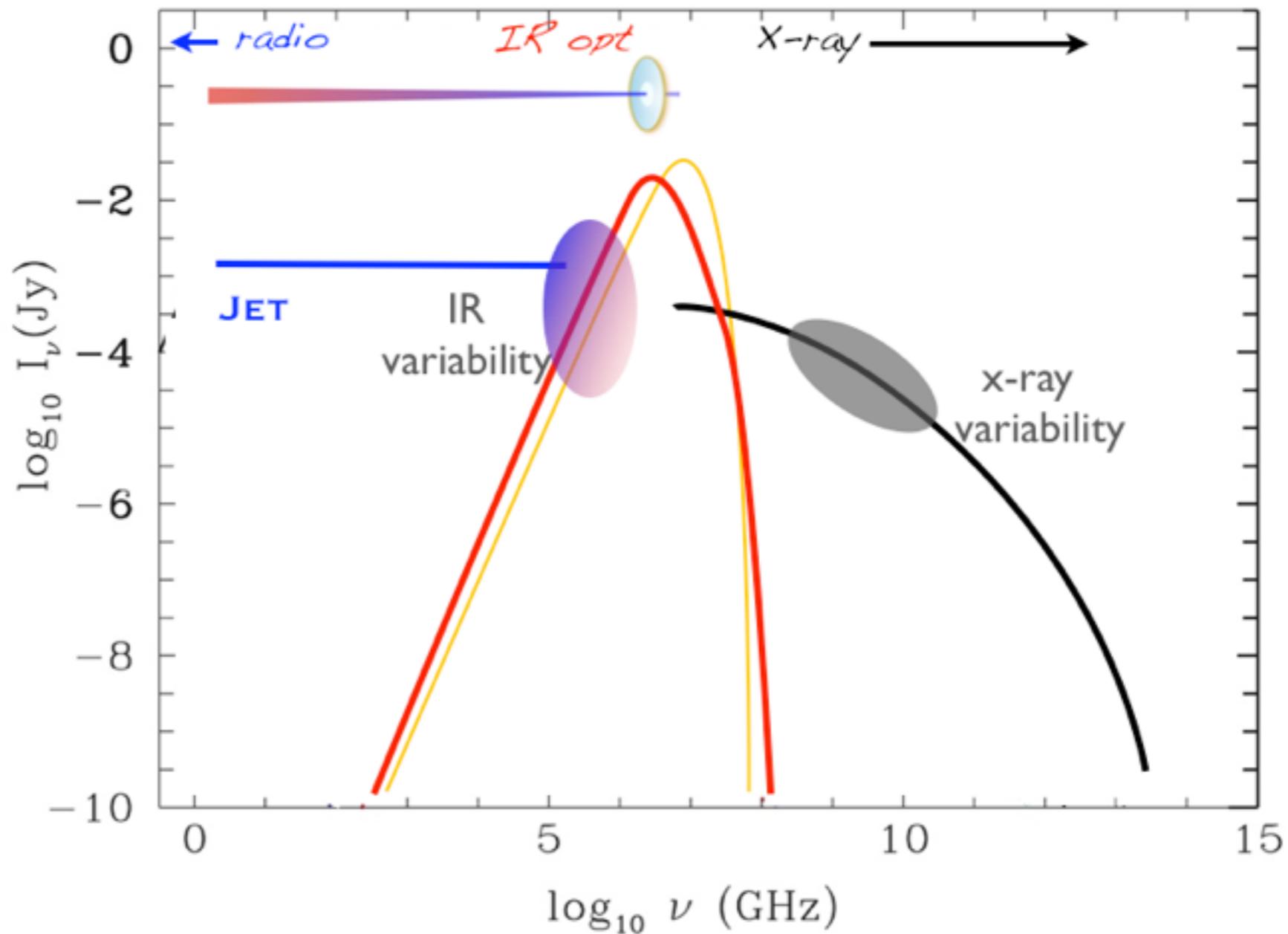
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**SEEMS POSSIBLE  
(STILL TOO MUCH FINE TUNING)**

# BLACK-HOLE X-RAY BINARIES

## HUNTING FOR JET FAST VARIABILITY



**WE CAN GO AND STUDY THE VARIABILITY.**

**DOES THE JET VARY?**

**IS IT CORRELATED WITH THE X-RAY VARIABILITY?**

# BLACK-HOLE X-RAY BINARIES

## HUNTING FOR JET FAST VARIABILITY

**FOUND!**

*Casella et al. 2010*

### THE BEAUTIFUL BRIGHTNESS TEMPERATURE ARGUMENT

WE SEE VARIABILITY  $> 5$  HZ

*Maximum size of the region*

$(< 6 \cdot 10^9 \text{ cm})$

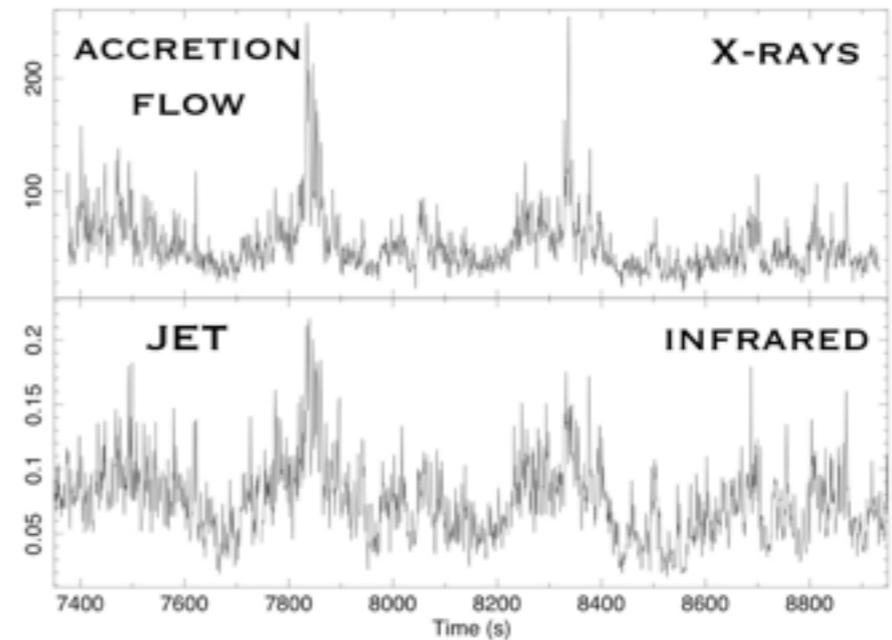
AMPLITUDE OF SUCH VARIABILITY

*Minimum IR flux from the region*

ASSUMPTION: THERMAL EMISSION

*Black Body formula gives you X-ray flux*

CHECK IN X-RAYS. DO YOU SEE IT? **NO!**



*more on JET variability*

*in TALKS by:*

*Federico Vincentelli (these data)*

*Maithili Kalamkar (more data!)*

**IT'S NOT THERMAL MUST BE A JET**

# COMPLEX PHYSICS VS. SIMPLE EXERCISES

## A WORD ON RADIATIVE EFFICIENCY

### Radio = Compact Jets

- Conical jet, power-law distribution of electrons, energy losses replenished, etc. (Blandford & Königl 79, Falcke & Bierman 95):

$$L_{\text{radio}} \propto Q_{\text{jet}}^{1.4}$$

- Power injected is a fraction of the accretion power:

$$Q_{\text{jet}} = f_j \dot{M} c^2$$

- $f_j$  independent of  $\dot{M} \Rightarrow L_{\text{radio}} \propto \dot{M}^{1.4}$

### X-ray component

- Radiatively efficient (e.g. thin disc, ADC...):

$$L_X \propto \dot{M}$$

- Radiatively inefficient (e.g. ADAF, X-ray jet model):

$$L_X \propto \dot{M}^{2-3}$$



$$L_X \propto \dot{M}^\beta$$

$$L_{\text{radio}} \propto L_X^{1.4/\beta}$$

*Standard correlation*

*Outliers*

$$L_{\text{radio}} \propto L_X^{0.6} \Rightarrow \beta = 2 - 3$$

$$L_{\text{radio}} \propto L_X^{1.4} \Rightarrow \beta = 1$$

Radiatively inefficient component

Coriat et al. 2011

Radiatively efficient component

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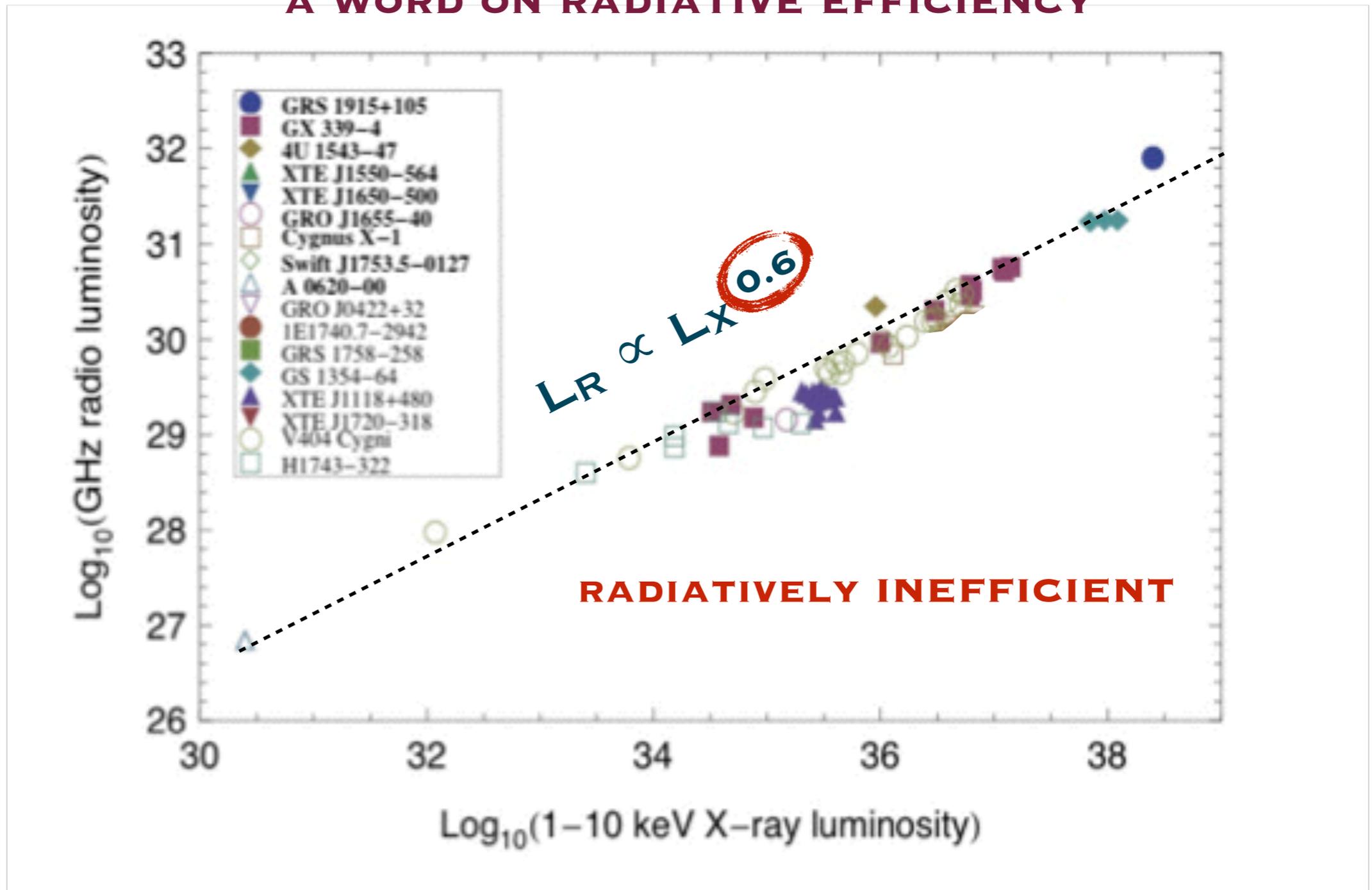
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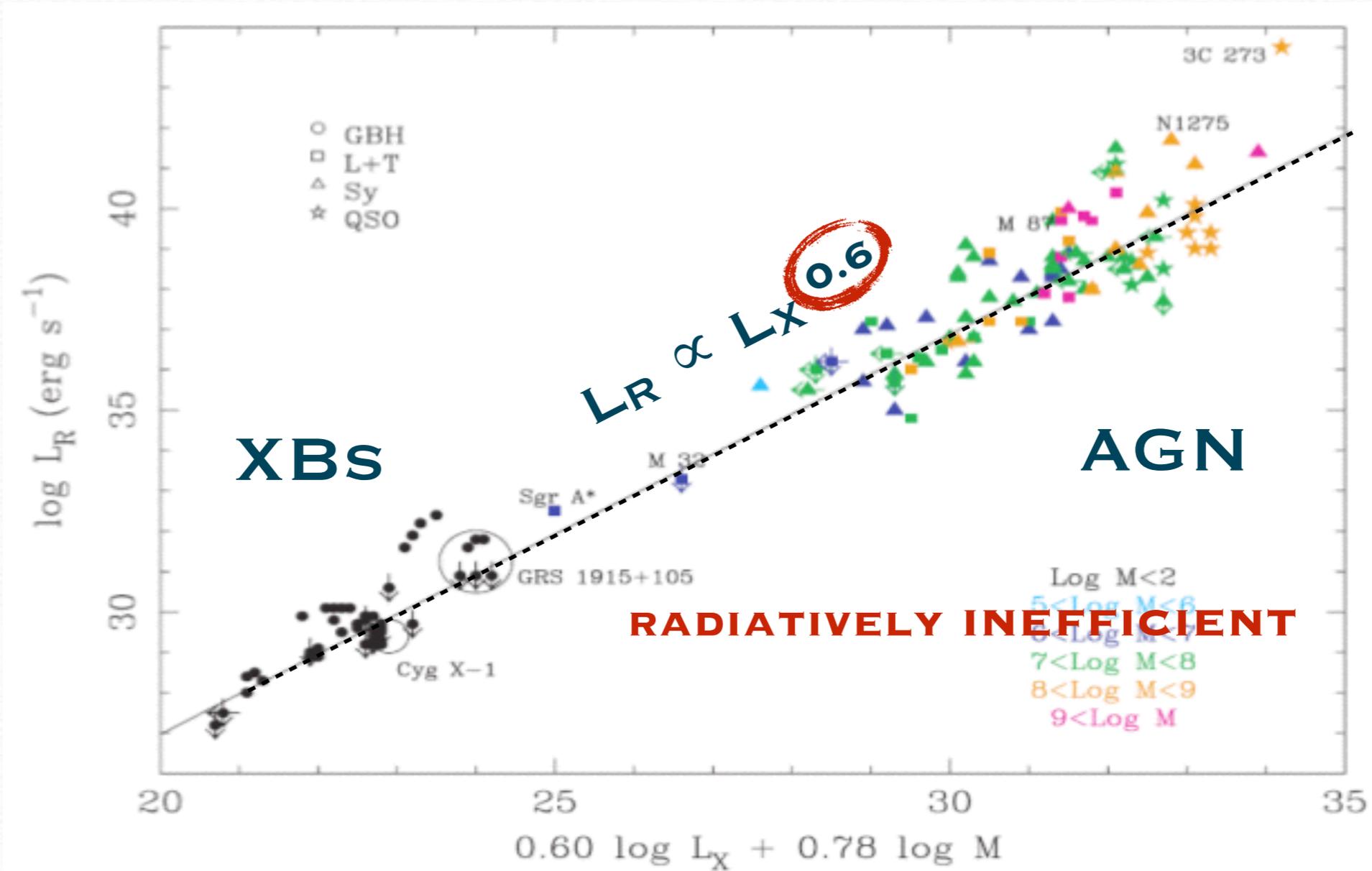
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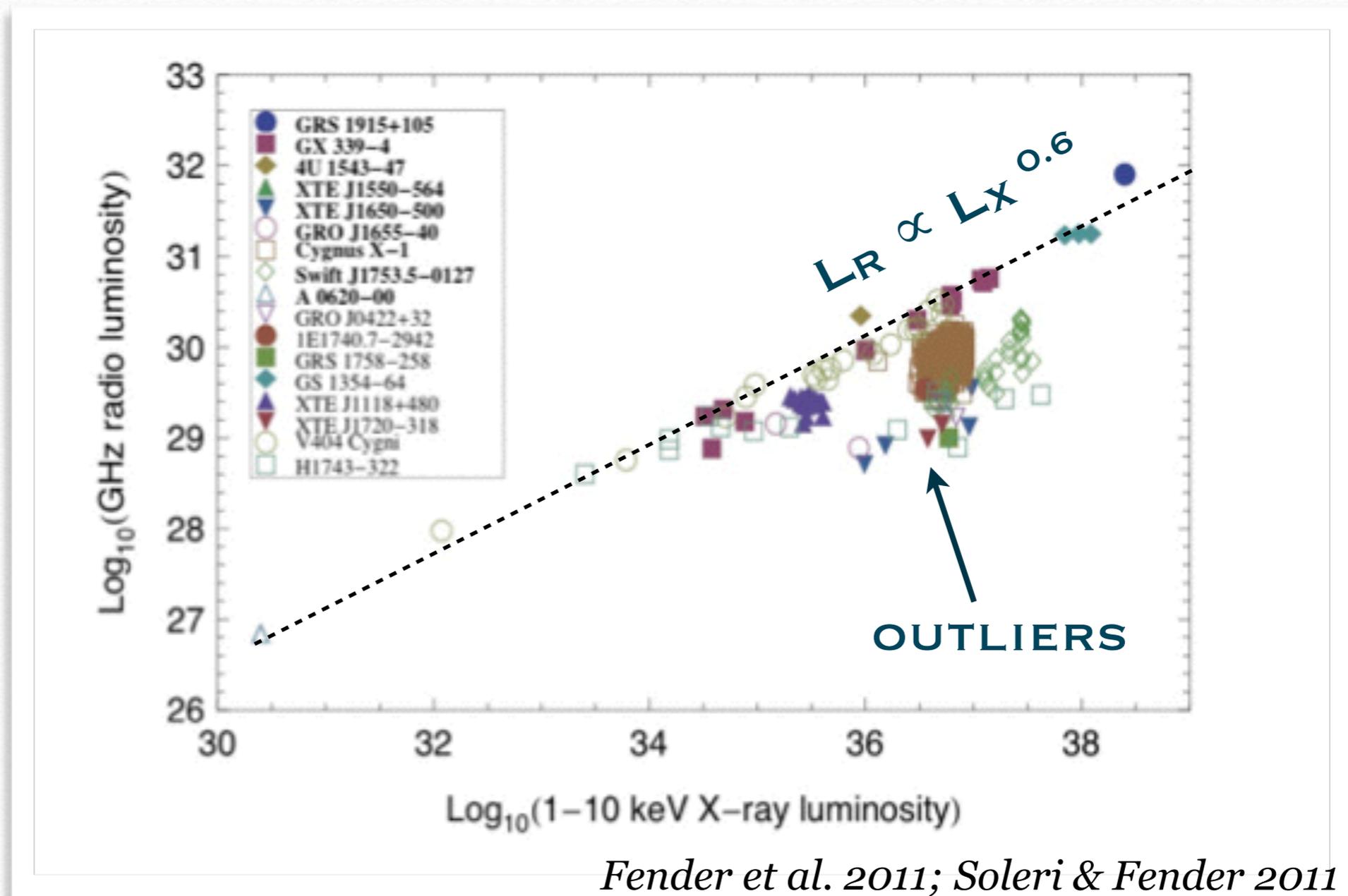
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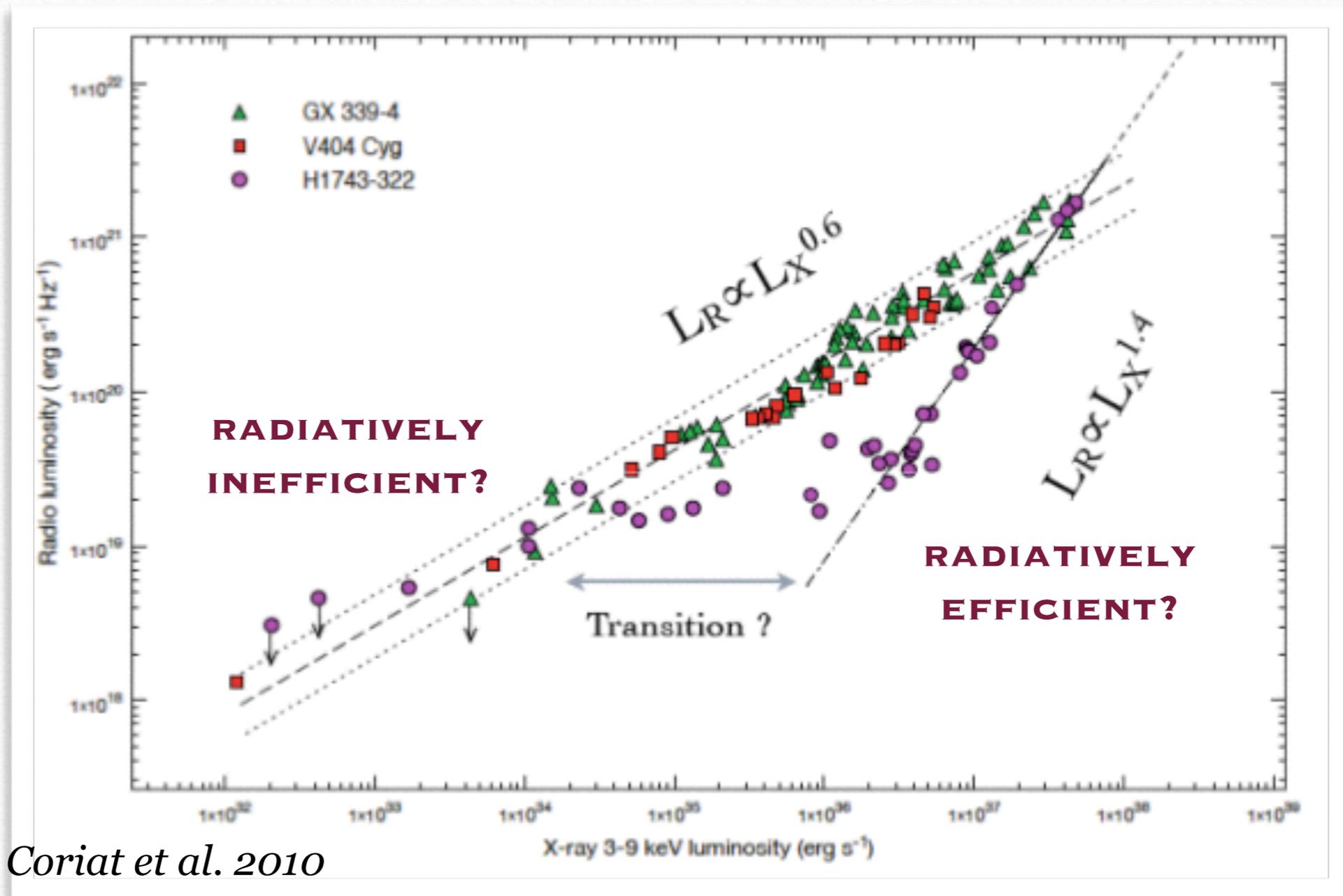
PERHAPS NOT THAT SIMPLE...



**NO CLEAR CONNECTION WITH OTHER PROPERTIES  
(E.G. BH SPIN, ORBITAL PERIOD, BH MASS, ...)**

# COMPLEX PHYSICS VS. SIMPLE EXERCISES

PERHAPS NOT THAT SIMPLE...



*more on flux-flux correlations  
in TALKS by:*

*Federico Vincentelli (in IR, fast)  
Federico Bernardini (in Opt, BH vs. NS)*