

# Ic-BL GRB connection

- Can we rule out the possibility that all Type Ic-BL SNe have GRB
- I.e., is all Ic-BL SNe hide a GRB?
- What is the ratio: GRB rate / Ic-BL rate ?
- If the expected ratio is consistent with 1 -
- Can we rule this option by searching for the late-time spherical radio emission?

# Can we rule out that all Ic-BL produce GRBs - Rates

- Rates (Corsi+2023) - 1%
- However:
- I get: ( $\text{Gpc}^{-3} \text{ yr}^{-1}$ )
- $79 / (10^5 \times 0.75 \times 0.01) \sim \text{O}(10\%)$

The local rate of SNe Ic-BL is estimated to be  $\approx 5\%$  of the core-collapse SN rate (Li et al. 2011; Shivvers et al. 2017) or  $\approx 5 \times 10^3 \text{ Gpc}^{-3} \text{ yr}^{-1}$  assuming a core-collapse SN rate of  $\approx 10^5 \text{ Gpc}^{-3} \text{ yr}^{-1}$  (Perley et al. 2020). Observationally, we know that cosmological long GRBs are characterized by ultrarelativistic jets observed on-axis, and have an intrinsic (corrected for beaming angle) local volumetric rate of  $79^{+57}_{-33} \text{ Gpc}^{-3} \text{ yr}^{-1}$  (e.g., Ghirlanda & Salvaterra 2022, and references therein). Hence, only  $\mathcal{O}(1)\%$  of SNe Ic-BL can make long GRBs. For low-luminosity GRBs, the observed local rate is affected by large errors,  $230^{+490}_{-190} \text{ Gpc}^{-3} \text{ yr}^{-1}$  (see Bromberg et al. 2011, and references therein), and their typical beaming angles are largely unconstrained. Hence, the question of what fraction of SNe Ic-BL can make low-luminosity GRBs remains to be answered.

Li 2011 (II fraction)

Graur 2017 (Ic-BL fraction out of II)

Beaming corrected GRB rate -  
Ghirlanda & Salvaterra 2022

- However, given the uncertainties - consistent with  $\text{O}(100\%)$

# Can we rule out that all lc-BL produce GRBs - Search

- Sample of 35 lc-BL (Taddia+2019)
- VLASS - 1st epoch ( $3.3 \times 10^6$  sources)
- I found 2 matches - however, can not rule out galaxy extended emission
- Predictions (Levinson+2002; Frail, Waxman, Kulkarni 2000)

$$f_\nu \approx 2h^2 \left( \frac{1+z}{2} \right)^{1/2} \left( \frac{\xi_e}{0.3} \right) \left( \frac{\xi_B}{0.3} \right)^{3/4} \left( \frac{d_L}{R_0} \right)^{-2} \\ \times n_0^{3/4} E_{51} \nu_9^{-1/2} \left[ \frac{t}{t_{\text{SNT}}(1+z)} \right]^{-9/10} \text{ mJy} .$$

- $E_{51}=1$ ,  $n_0=1$  - requires,  $e_B < 0.03$  (0.01) for 6 (1) detections
- **We can not rule out that 100% of the lc-BL are associated with GRBs**

# Transients detection - problems and mitigation

- Transients detection suffers from a large number of false alarms
- Solutions: Human scanning | ML+human classification+scanning
- ZOGY (Zackay, Ofek, Gal-Yam 2016) - solved:
  - Numerical stability (and anti-symmetry)
  - Error propagation
  - Source noise + astrometric noise (via error propagation)
- Assumptions in image subtraction:
- **Perfect registration**
- Nyquist sampled, Flux matching error, PSF errors, background-dominated noise

# Translient (translational transient detector)

$$R = (T + \alpha_r \delta_{\vec{q}}) \otimes P_r + \epsilon_r,$$

$$N = (T + \alpha_n \delta_{\vec{p}}) \otimes P_n + \epsilon_n.$$

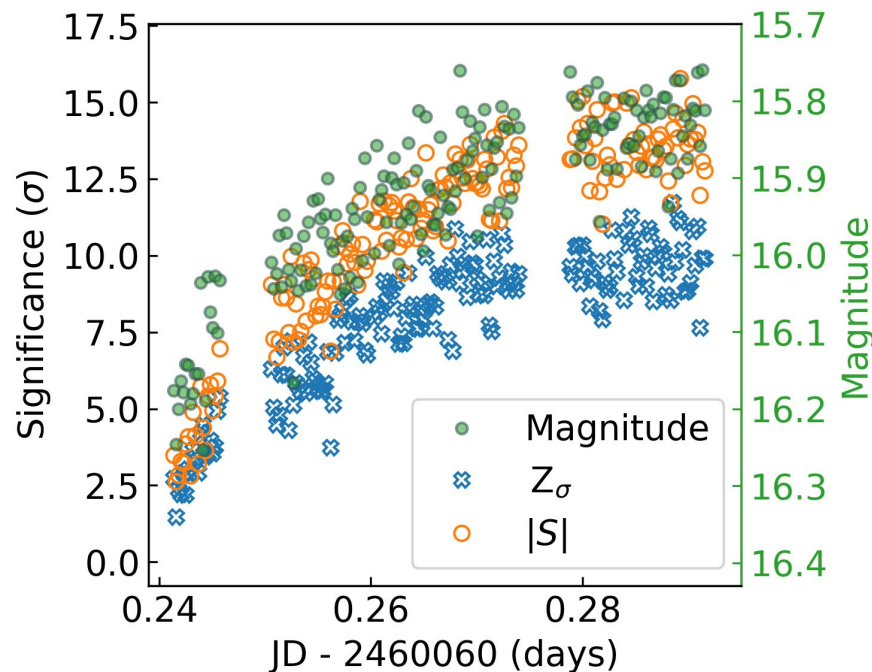
$$\mathcal{H}_0 : \vec{q} = \vec{p},$$

$$\mathcal{H}_1 : \vec{q} \neq \vec{p},$$

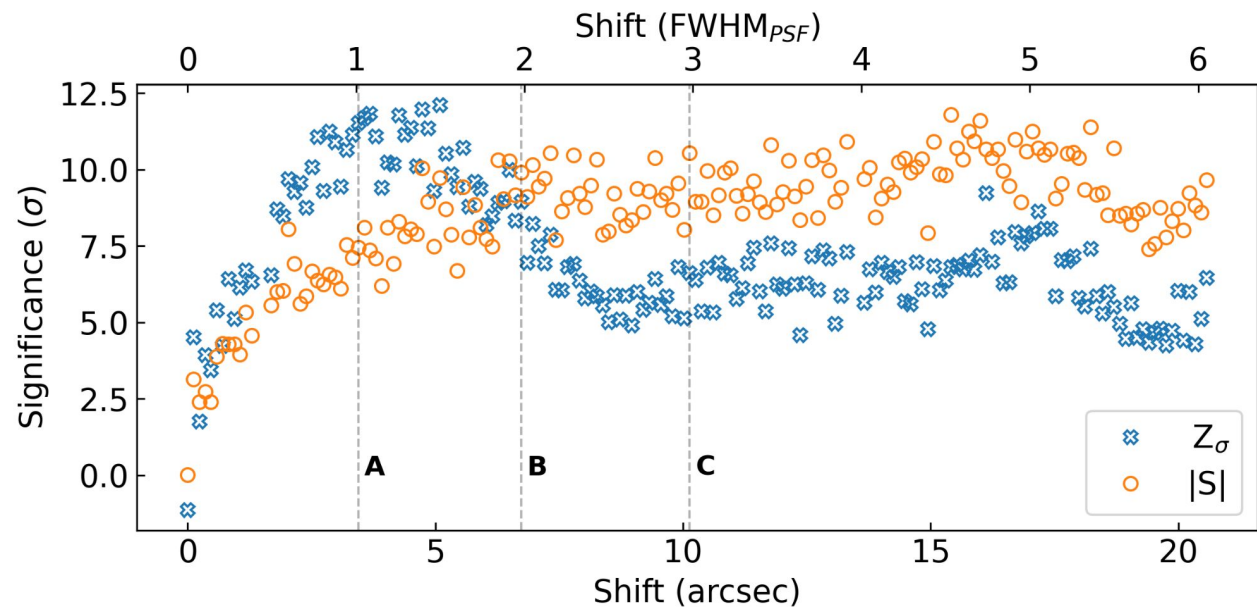
$$Z^2(x, y) \equiv \|\Im[\vec{z}]\|^2 \quad (22)$$

$$= \left\| \Im \left\{ \mathcal{F}^{-1} \left[ \frac{4\pi \vec{k}}{m} \frac{\hat{P}_n \hat{P}_r (\hat{P}_n \hat{R} - \hat{P}_r \hat{N})}{|\hat{P}_r|^2 \sigma_n^2 + |\hat{P}_n|^2 \sigma_r^2} \right] \right\} \right\|^2,$$

Springer, EO+, submitted



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