Axions and Stellar Physics

Maurizio Giannotti, Barry University (FL) IAXO international meeting, April 18, 2016 Laboratori Nazionali di Frascati, Italy

Stars as Laboratories



G. Raffelt, "Stars as laboratories for fundamental physics" (1996)

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Cooling Anomalies

Practically every stellar system seems to be cooling faster than predicted by the models.



[M.G., Irastorza, Redondo, Ringwald (2015)]

Axions and Stellar Evolution

Light axions can be produced in stars through various mechanisms, e.g.



The emission of axions could lead to an *overly efficient energy drain*, inconsistent with observations. This leads to bounds on the axion couplings with photons, electrons and nuclei.

KSVZ and DSFZ axion couplings

$$m_{a} = \frac{\left(5.70 \pm 0.07\right) \mu \text{eV}}{f_{a} / 10^{12} \text{GeV}}$$

$$g_{ai} = m_{i} \frac{C_{ai}}{f_{a}}$$

$$g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f_{a}} \quad \text{with} \quad C_{a\gamma} = \frac{E}{N} - \frac{2}{3} \frac{4m_{d} + m_{u}}{m_{d} + m_{u}}$$

J.E. Kim (1979);
M. Shifman, A. Vainshtein, V. Zakharov (1980);
A.R. Zhitnitskii (1980);
M. Dine, W. Fischler, M. Srednicki (1980)

Most known example of QCD axion : DSVZ and KSVZ (hadronic) axions.

Mass and coupling have a peculiar dependence on the PQ constant.

"The QCD axion Precisely"

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$$g_{ay} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f_{a}}$$
with
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G. G. di Cortona, E.Hardy,
J.P.Vega, G.Villadoro, JHEP
1601 (2016) 034

	KSVZ	DFSZ I	DFSZ II
C _{ae}	zero (at tree level)	$\frac{\cos^2\beta}{3}$	$\frac{\sin^2\beta}{3}$
C _{ap}	-0.47 ± 0.03	-0.182(25) - 0.435 cos²β	-0.182(25) + 0.435 cos²β
C _{an}	-0.02 ± 0.03	$-0.160(25) + 0.414 \cos^2\beta$	-0.160(25) + 0.414 $\cos^2\beta$
C _{aγ}	$\frac{E}{N} - 1.92(4)$	$\frac{8}{3} - 1.92(4)$	$\frac{2}{3} - 1.92(4)$



Luminosity changes periodically with a slowly increasing period.

 \dot{P}/P is practically proportional to the cooling rate \dot{T}/T









White Dwarfs Luminosity Function:

$$\frac{dN_{\rm WD}}{dV \ dL} \propto \frac{1}{L_{\gamma} + L_{\nu} + L_{x}}$$

 L_x = anomalous cooling, e.g. axions



Axion bound:

$$g_{ae} < 2.4 \times 10^{-13}$$

Bertolami, Melendez, Althaus, Isernd, JCAP **1410** (2014)

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- ✓ The WDLF offers a unique way to test the functional dependence of the additional cooling rather than just its amplitude.
- ✓ The addition of axions coupled to electrons showed improvement of the fits.
- The addition of an anomalous neutrino magnetic moment showed no improvement.



The WDLF is expected to be approximately linear in the range between $8 < M_{bol} < 14$



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WDLF and new physics

Consider the linear approximation before and add theoretical errors large enough to account for the difference between the actual theoretical prediction;

Several new physics models, including axions/ALPs, predict an additional energy loss of the form

 $L_x = C_x T_7^n$

This form gives testable predictions for



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The results (1 to 4σ) are shown to the side



RG Cooling

A particularly useful observable in the CMD is the brightness of the tip of the RG branch.



 $g_{ae} < 2.6 (4.3) \times 10^{-13}$

Strong axion bound on the axion-electron coupling:

[Viaux et. al., Phys.Rev.Lett. 111 (2013)]

at 1 (2) σ

RG Cooling

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Viaux et. al. Astron.Astrophys. 558 (2013) A12 Color-magnitude diagram of M5. Left: Original. Right: After field star decontamination. Additional cooling would give rise to a brighter RGB tip.

Recent papers showed a tip slightly more luminous than expected

M5: (analysis of g_{ae} and μ_{v}) Viaux et. al., Phys.Rev.Lett. 111 (2013); Viaux et. al. Astron.Astrophys. 558 (2013) A12; for M5

ω-Centauri: (analysis of μ_{ν}) Arceo-Daz et. al. (2015)

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Putting all together

Hints on the axion- electron coupling



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The <u>R-parameter:</u>

 $R = N_{HB} / N_{RG}$

compares the number of stars in the HB $(N_{\rm HB})$ and in the upper portion of the RGB $(N_{\rm RG})$.



 $< R > = 1.39 \pm 0.03$



Straniero (proc. of XI Patras Workshop)



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compares the number of stars in the HB $(N_{\rm HB})$ and in the upper portion of the RGB $(N_{\rm RG})$.

A recent analysis using the 39 GC from Salaris et. al. gave

$$g_{av} = (0.29 \pm 0.18) \times 10^{-10} \text{GeV}^{-1}$$
 68% C.L.

and the upper bound on the axion-photon coupling

 $g_{a\gamma} < 0.65 \times 10^{-10} \text{GeV}^{-1}$ 95% C.L.



- Ayala, Dominguez, M.G., Mirizzi, Straniero (PRL 113 (2014))

- Straniero (proc. of XI Patras Workshop);

- Straniero, Ayala, M.G., Mirizzi, Dominguez (in preparation)

The <u>R-parameter:</u>



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The apparent need for additional cooling may be a consequence of an incomplete understanding of the ${}^{12}C(\alpha,\beta){}^{16}O$ reaction rate. This reaction is among the main scientific cases of LUNA MV, a new nuclear astrophysics facility under construction at the Gran Sasso underground laboratory of INFN (LNGS). [Straniero (proc. of XI Patras Workshop)]

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22 -0.4 0 0.4 0.8 1.2 1.6 2 (V-I)

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R-parameter: a new look



R-parameter: a new look



$$R = 7.33Y + 0.02 - 0.095\sqrt{21.86 + 21.08g_{10}} - 1.61\delta\mathcal{M}_c - 0.067\alpha_{26}$$

where

$$\delta \mathcal{M}_{c} = 0.024 M_{\odot} \left(\sqrt{4\pi \alpha_{26} + (1.23)^{2}} - 1.23 - 0.921 \,\alpha_{26}^{0.75} \right) \quad \text{and} \quad \alpha_{26} = \frac{\left(g_{ae} \times 10^{13}\right)^{2}}{4\pi}$$

1

10

R-parameter: a new look

 $R=N_{HB}/N_{RG}$

 $R = 7.33Y + 0.02 - 0.095\sqrt{21.86 + 21.08g_{10}} - 1.61\delta\mathcal{M}_c - 0.067\alpha_{26}$



The R-parameter is a function of both g_{ae} and $g_{a\gamma}$.

Therefore, the hint could be explained by a combination of these couplings or even only by g_{ae}

M.G., Irastorza, Redondo, Ringwald (2015)

ALP parameters region



best fit: $g_{ae} = 1.5 \times 10^{-13}$, $g_{a\gamma} = 0.13 \times 10^{-10} \text{GeV}^{-1}$

ALP parameters region



ALP parameters region



Axion parameters region M.G., Irastorza, Redondo, Preliminary Ringwald, In preparation 0.6 < $g_{ae} = m_e \frac{C_{ae}}{f_a}$ $g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f_a}$ WDLF 0.5 RGB tip (M5) 0.4 $g_{a\gamma} \times 10^{10} \, GeV$ best fit corresponds to: $\frac{C_{ae}}{C_{av}} = 2.6 \times 10^{-2}$ 0.3 Combined ~ R<mark>-</mark>parameter 0.2 (1σ) 0.1 0.0 0 2 3 4 $g_{ae} \times 10^{13}$ $\cos^2 \beta = 0.06$ $f_a = 6.7 \times 10^7 \text{ GeV}$ **DSVZ 1:** $C_{a\gamma} = \frac{8}{3} - 1.92$ $C_{ae} = \frac{1}{3} \cos^2 \beta$

Axion parameters region M.G., Irastorza, Redondo, Preliminary Ringwald, In preparation 0.6 < -WDLF $g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f}$ $g_{ae} = m_e \frac{C_{ae}}{f_a}$ 0.5 RGB tip (M5) 0.4 $g_{a\gamma} \times 10^{10} \, GeV$ best fit corresponds to: $\frac{C_{ae}}{C_{av}} = 2.6 \times 10^{-2}$ 0.3 Combined ~ R<mark>-</mark>parameter 0.2 (1σ) 0.1 0.0 0 2 3 4 $g_{ae} \times 10^{13}$ $\cos^2 \beta = 0.9$ $f_a = 1.1 \times 10^8 \text{ GeV}$ **DSVZ 2:** $\begin{cases} C_{a\gamma} = \frac{2}{3} - 1.92 \\ C_{ae} = \frac{1}{3} \sin^2 \beta \end{cases}$

Axion parameters region M.G., Irastorza, Redondo, Preliminary Ringwald, In preparation 0.6 **WDLF** $g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f}$ $g_{ae} = m_e \frac{C_{ae}}{f_a}$ 0.5 RGB tip (M5) 0.4 $g_{a\gamma} \times 10^{10} \, GeV$ best fit corresponds to: $\frac{C_{ae}}{C_{a\gamma}} = 2.6 \times 10^{-2}$ 0.3 Combined R<mark>-</mark>parameter 0.2 (1σ) 0.1 0.0 0 2 3 $g_{ae} \times 10^{13}$ $\frac{E}{N} = 1.9$ $f_a = 1.4 \times 10^6 \text{ GeV}$ **KSVZ:** coupling to $g_{a'}$ electrons naturally small е е

Axion parameters region M.G., Irastorza, Redondo, Preliminarv Ringwald, In preparation 0.6 **WDLF** $g_{ae} = m_e \frac{C_{ae}}{f_a}$ $g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f}$ 0.5 RGB tip (M5) 0.4 $g_{a\gamma} \times 10^{10} \, GeV$ best fit corresponds to: $\frac{C_{ae}}{C_{a\gamma}} = 2.6 \times 10^{-2}$ 0.3 Combined R<mark>-</mark>parameter 0.2 (1σ) 0.1 0.0 0 2 3 $g_{ae} \times 10^{13}$ forcing $\frac{E}{N} = 0$ $f_a = (1.4 - 4.64) \times 10^8 \text{ GeV}$ **KSVZ:** coupling to g_{a_1} electrons naturally small е e

Axion parameters region



Axion-Nucleons Couplings



Measured surface temperature over 10 years of the NS in Cas A reveals unusually fast cooling rate.

The thermal energy losses are approximately twice more intensive than it can be explained by the neutrino emission. [Shternin et. al., Mon. Not. R. Astron. Soc. 412 (2011)]

Leinson, JCAP 1408 (2014)

Axion-Nucleons Couplings



Leinson, JCAP 1408 (2014)



could be explained by introducing an ALP coupled to nucleons [Leinson, JCAP 1408 (2014)]

The effect could have a different origin, for example as a phase transition of the neutron condensate into a multicomponent state [Leinson, Phys. Lett. B 741, (2015)]

Supernova 1987A

Enormous amount of neutrinos expected from core collapse SN.

If weakly coupled, axions escape from the core without interactions.

Neutrino events observed from SN1987 A restrict how much energy can be lost in ALPs.



However, not a very solid bound: very few data and the interaction is difficult to model.

See Alessandro Mirizzi's talk



Supernova 1987A



Supernova 1987A



SN 1987A and NS in Cas A

The fit for the DFSZ axion is good.



IAXO and

A. Ringwald,

colloquium, 2014

Karlsruhe

Astrophysical hints (including the transparency hints) can be explained by an ALP with



Cooling anomalies and new physics



Cooling anomalies and new physics



Leaves only ALPs and massless HP. ALPs are slightly preferred since can cool HB stars

Conclusions

- ✓ Stars are excellent tools to study the properties of light, weakly interacting particles, particularly axions.
- Several anomalies seem to indicate the need for additional cooling and require further investigation.
- ALPs (together with massless HPs) are the best candidate among WISPs. Astrophysical hints (including the transparency hints) can be explained by an ALP with

$$f_a \approx 10^8 \text{GeV}, C_{a\gamma} \approx 1, C_{ae} \approx C_{an} \approx 10^{-2} \text{ and } m_a \leq 0.1 \mu \text{eV}$$

- ✓ The ALP hinted region is accessible to IAXO and partially to APS II.
- \checkmark The KSVZ and DFSZ may be harder to probe.

What to do next

The hints are not very strong and the uncertainties are still not well known.

1. Investigate stellar cooling, systematics and uncertainties, and see if the cooling anomalies are actually a hint to new physics

2. Build IAXO.

Additional material

Discussion

A. Ringwald,

colloquium, 2014

Karlsruhe

Astrophysical hints (including the transparency hints) can be explained by an ALP with



Stars as Laboratories

Observable	Comments		USE
Sun	Best known star.	•	Low mass HP Minicharges
RGB-tip		•	Neutrino
WD pulsation	Sensitive to processes efficient at high densities.		magnetic
WDLF			moment (μ_{ν})
AGB (?)	"very bright and so their photometric and spectroscopic properties are well known" [I. Dominguez, O. Straniero, J. Isern (1999)]. So far not used often for particle physics	 Axion-electron coupling (g_{ae}) Massive HP 	
R-parameter	R=N _{HB} /N _{RGB} ter can probe processes efficient at low density and high temperature.		g _{ae,} μ _ν Fermion minicharges
Blue loop	Not very numerous. Have a blue loop which is observable. The microphysics is difficult to model	 Axion-photon coupling (g_{aγ}) 	
SN progenitor	Can be probed from SN light curves, SN remnant, nucleosynthesis [Heger et. al. 2008; Aoyama & Suzuki, 2015)]	•	μ_v , g_{ae} , $g_{a\gamma}$
SN	Unique environment but rare. Probes interactions with nuclei (See A. Mirizzi Talk later today)coolingColder than SN but hotter and denser than standard stars		Couplings to nuclei Extra dim.
NS cooling			

KSVZ and DSFZ axions

Most known example of QCD axion : DSVZ and KSVZ (hadronic) axions

The QCD axion, precisely

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Abstract

We show how several properties of the QCD axion can be extracted at high precision using only first principle QCD computations. By combining NLO results obtained in chiral perturbation theory with recent Lattice QCD results the full axion potential, its mass and the coupling to photons can be reconstructed with percent precision. Axion couplings to nucleons can also be derived reliably, with uncertainties smaller than ten percent. The approach presented here allows the precision to be further improved as uncertainties on the light quark masses and the effective theory couplings are reduced. We also compute the finite temperature dependence of the axion potential and its mass up to the crossover region. For higher temperature we point out the unreliability of the conventional instanton approach and study its impact on the computation of the axion relic abundance. - J.E. Kim (1979);

- M. Shifman, A. Vainshtein, V. Zakharov (1980);
- A.R. Zhitnitskii (1980);
- M. Dine, W. Fischler, M. Srednicki

Mass and coupling have a peculiar dependence on the PQ constant. New results from recent NLO chiral perturbation theory and lattice

> G. G. di Cortona, E.Hardy, J.P.Vega, G.Villadoro, JHEP 1601 (2016) 034







Stars bounds on axions

Observable	Upper bound	observable
Axion-electron coupling g_{ae}	2.6 (4.3) × 10 ⁻¹³ at 1 (2) σ	RGB tip in M5 [Viaux et. al. (2013)] Axion <i>e</i> -bremsstrahlung \rightarrow additional cooling \rightarrow brighter tip
Axion-photon coupling g _{aγ}	0.66 × 10 ⁻¹⁰ GeV ⁻¹ at 2 σ	 R-parameter =N_{HB}/N_{RGB} from analysis of 39 GC [Ayala et. al. (2014), Straniero, proceedings of the 2015 Patras Workshop] Axion Primakoff production accelerate HB evolution. Also, <i>e</i>- bremsstrahlung modifies RGB evolution [Giannotti et. al. (2016)]
Axion-nucleon coupling g _{aN}	$\sim 9 \times 10^{-10}$	See A Mirizzi's talk later



Some particularly interesting areas can be identified in the ALP parameter space



Stars as Laboratories

